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#### GRAN SASSO SCIENCE INSTITUTE

#### Democratizing the programming and use of Robots

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### Why Democratizing?

- Accessibility: technology (and robotics)
   extends to an ever-broader audience, and
   in some cases to the entire society
- User-friendliness: easier to use so that more people can use them (correctly and confidently) without needing advanced skills or training



https://flyzoo-hotel.hangzhouhotel.org/en/



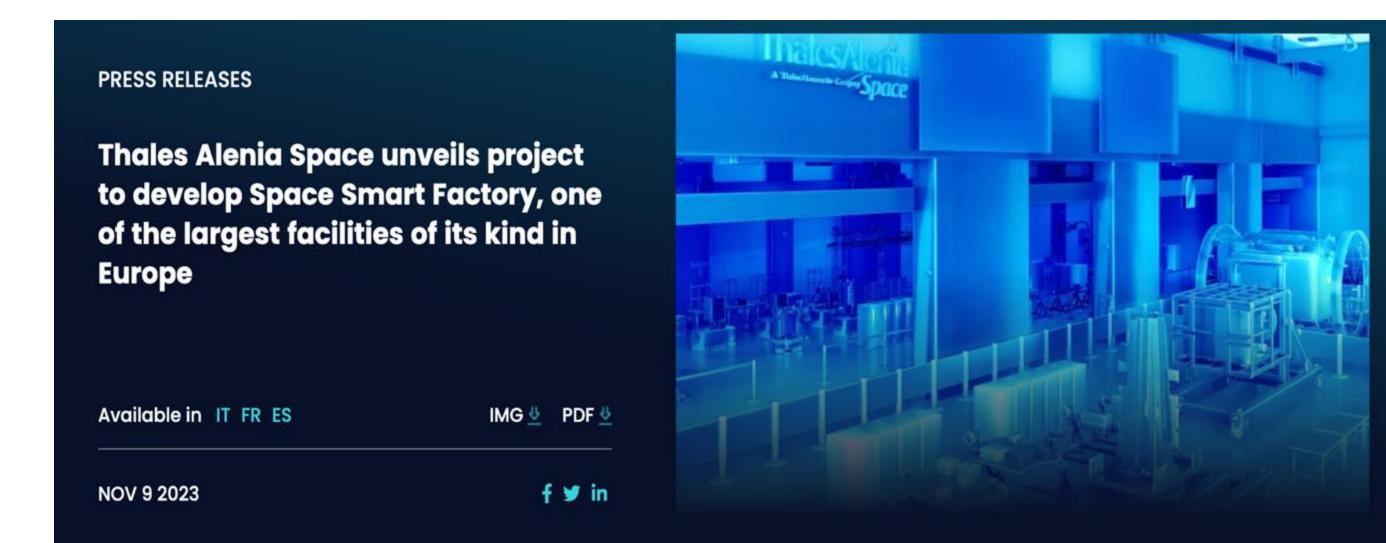
• Ride specification: more complex than just specify the destination address

• Degree of automation: partial automation can be more stressful than fully manual driving, as drivers need to constantly monitor whether the vehicle is doing what it is supposed to



## Industrial Robots

- Experts in satellite
   production: specifying
   what the robot should do
- Customization in the production islands: selfcontained, flexible manufacturing unit with its own specificity that operates independently while still integrating with the larger smart factory ecosystem

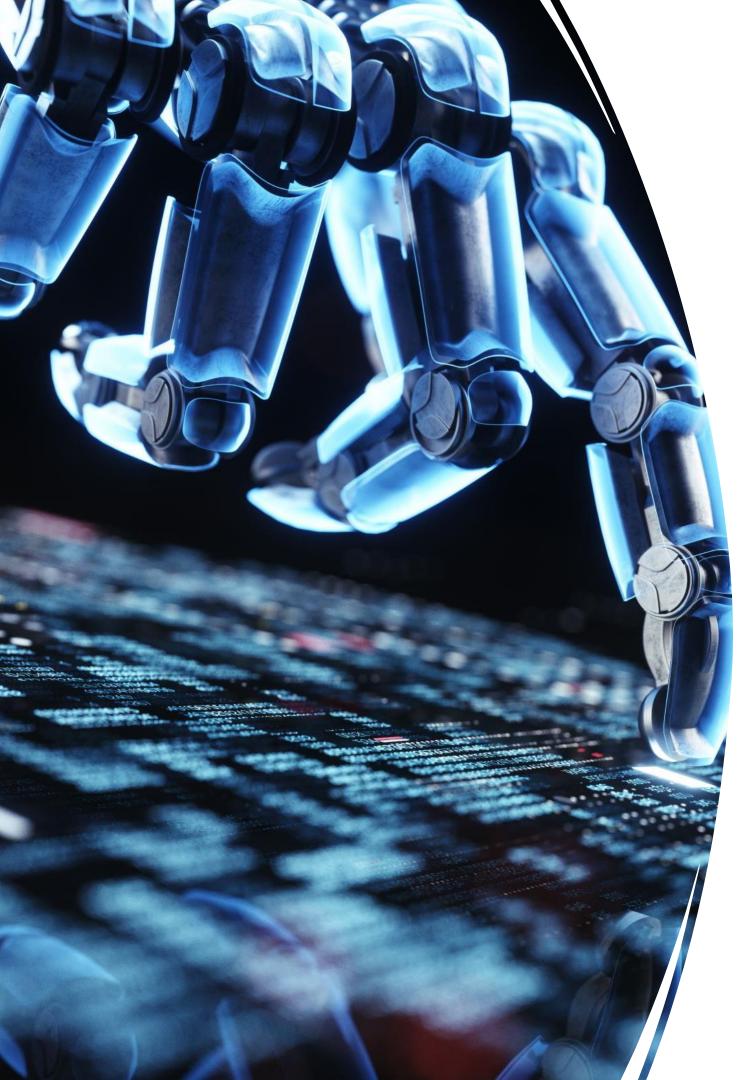


At the Tecnopolo Tiburtino hub in Rome, Thales Alenia Space's all-digital factory will employ advanced technologies for the production of satellites

- The factory will be built thanks to an important investment by Thales Alenia Space and co-funded by the Italian Space Agency (ASI) through the National Recovery and Resilience Plan (PNRR) funds
- It will make intensive use of digital and Industry 4.0 technologies
- The factory will feature the Space JOINTLAB, an innovative and collaborative space with SMEs and research centers
- Total surface area 21,000 sq.m, 5,000 sq.m of reconfigurable clean rooms, 1,900 sq.m of office space and co-working areas, 1,800 sq.m of technical support
  areas

# Why democratization and not just user friendliness?

Different degree and complexity of interaction that get close to programming

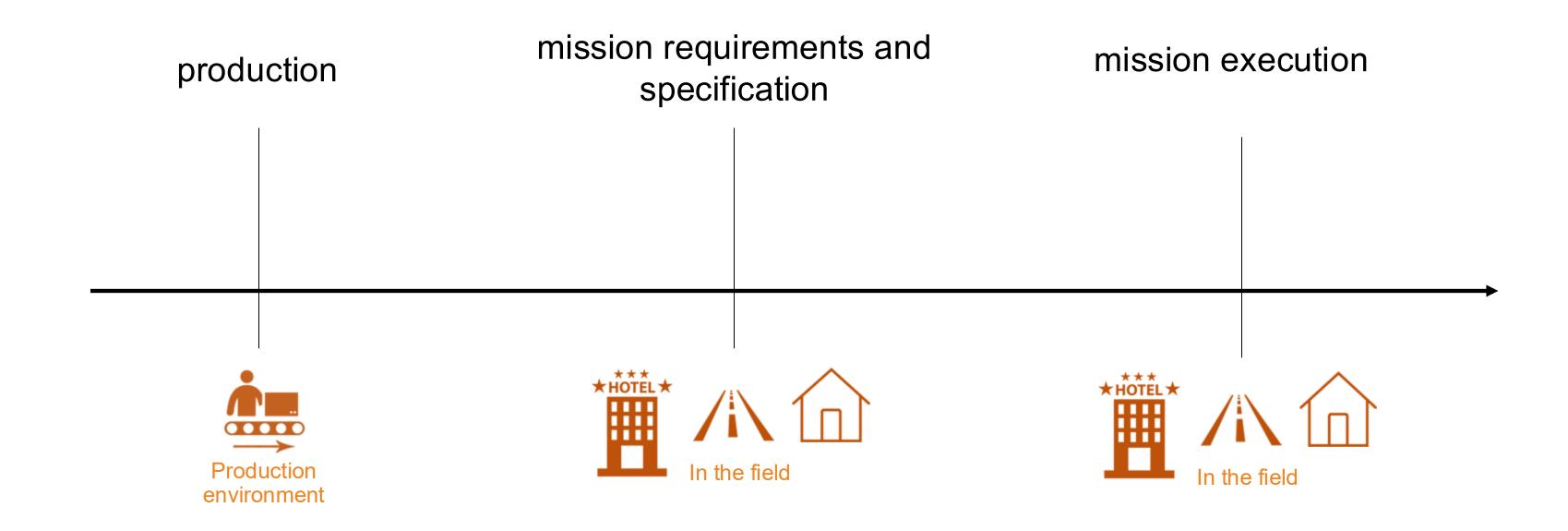


### Robotic Mission

- A mission requirement describes the high-level tasks that a robotic software must accomplish.
- A mission specification is a formal and precise description of what robots should do in terms of movements and actions.
- Robotic mission engineering concerns expressing robotic missions in high-level and user-friendly notation (mission requirements), and then translating mission requirements into more precise mission specifications.

Claudio Menghi, Christos Tsigkanos, Patrizio Pelliccione, Carlo Ghezzi, and Thorsten Berger, Specification Patterns for Robotic Missions, Transactions on Software Engineering (TSE), 2019

#### Robots programming: beyond production environment



Different stakeholders

#### Mission Specification







Team of developers produce SASs that might include hardware, software, and mechanics









#### Mission Specification







Programming extends in the field

How to ask the robot to make a coffe and clean the kitchen?



Team of developers produce SASs that might include hardware, software, and mechanics







The definition of the mission should be done in an easy and user-friendly way, accessible by users without expertise in ICT or robotic

Different stakeholders, experts of the domain but not in robotics

### Example of mission requirement

Different modes, plus dealing with the variability of the real world

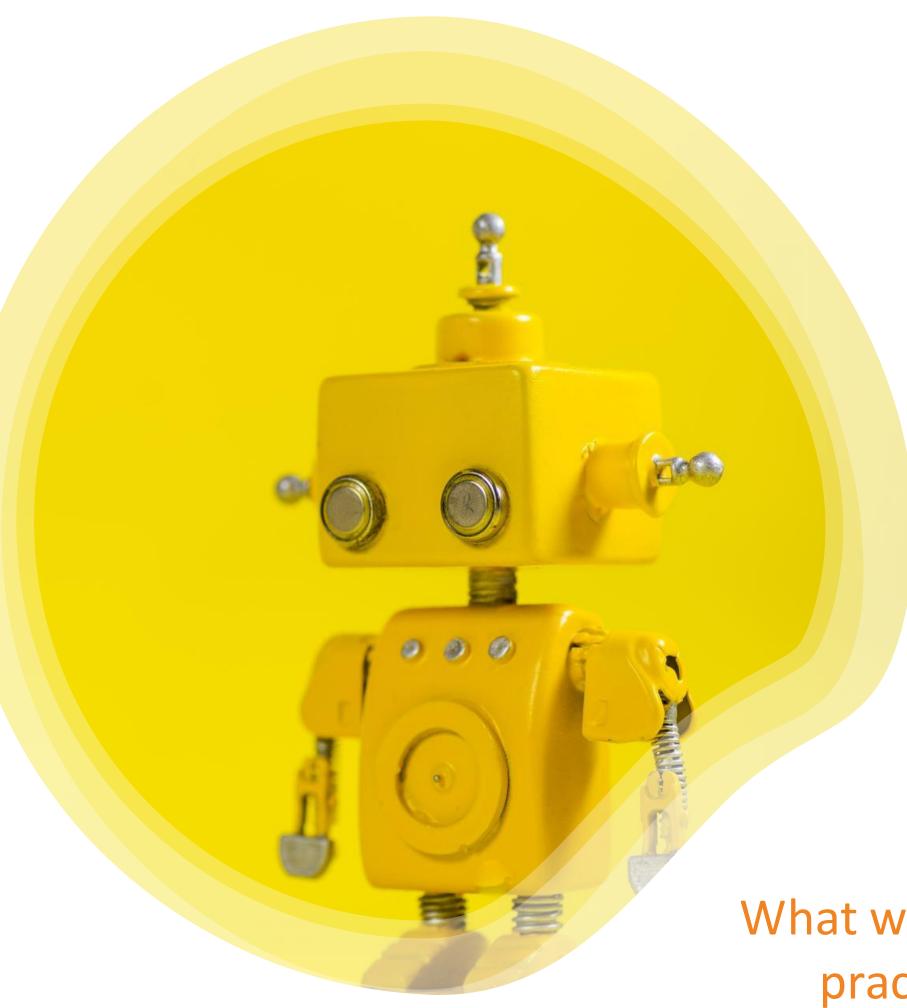
The robot should **move around** the room and **dispense medication** to independent people. It first **establishes a short conversation** based on the user's conditions to figure out the overall health status, and afterwards it will **dispense pills** along with a glass of water. The robot also **records the activity** to allow a caregiver to evaluate if the persons accepted the pills, by means of a subsequent interaction. **During night-time** a service robot performs a **cleaning protocol with the UV-lamp** on the exposed surfaces (e.g. table and chairs), possibly in **coordination with automatic cleaners** that wash the floor.

In addition, the robot should **perform regular check-ups** on people with particular conditions during free-time. It **needs to understand basic requests** and will alert the nurse in case of need, pose basic riddles or show simple pictures to test baseline human capabilities, ask the persons about their status and if they need help or assistance. Through specific questionnaires the **robot gives advices about common pathologies** affecting elderly people such as heart failure or diabetes. Tasks in hospitals are very specialized and follow very strict protocols. For these reasons, as well as efficiency, patients might stay alone for long periods of time, causing them distress and confusion. Children are a particularly affected group, as their attachment to parents is high and it is difficult for them to understand the situation.

+ recharge battery when needed, deal with obstacles, presence of humans, failures, etc.

Exemplars: <a href="https://github.com/Askarpour/RoboMAX">https://github.com/Askarpour/RoboMAX</a>

Video: <a href="https://www.youtube.com/watch?v=txZCcABkycQ">https://www.youtube.com/watch?v=txZCcABkycQ</a>



#### Variability and uncertainty



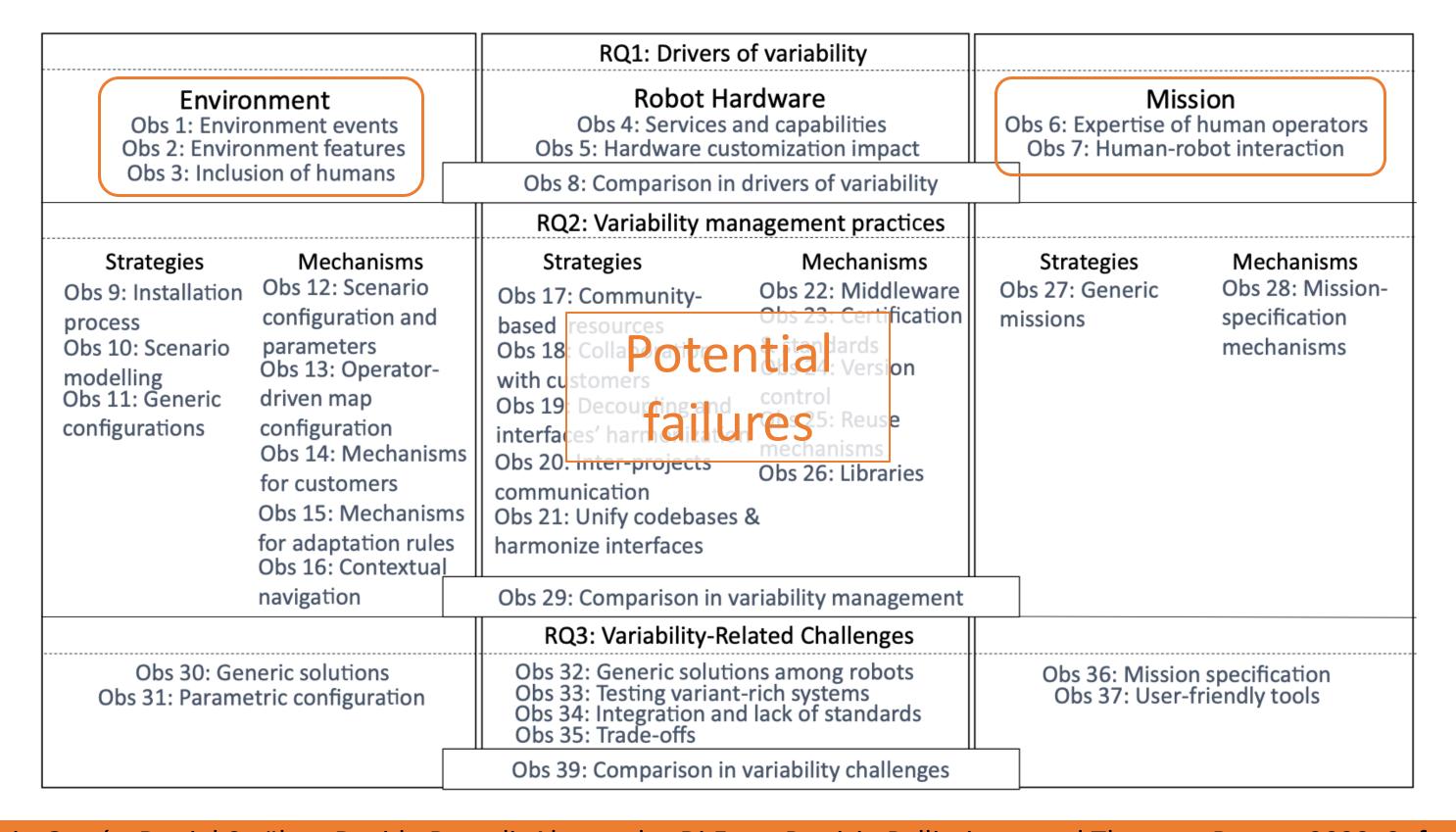
It's not difficult to specify what the robot should do, i.e., the "normal" behavior.



The difficult part is to deal with uncertainty and exceptional behaviors while guaranteeing safety and the mission satisfaction.

What we learn from practitioners

#### Which type of variability?



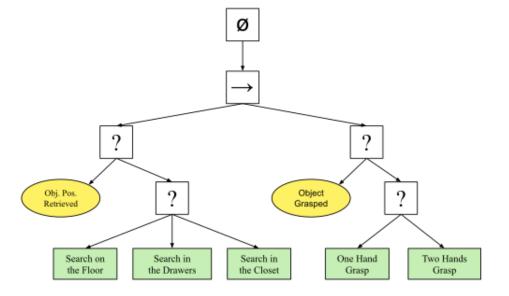


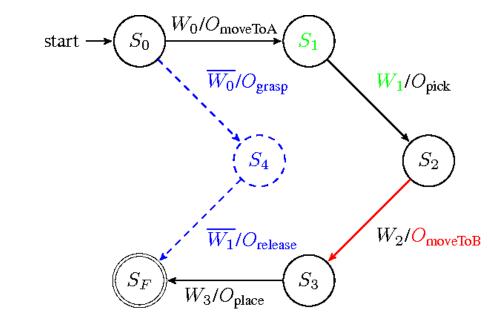
- 1. Democratization
- 2. Need of Turn-key solutions
- 3. Variability of the real world

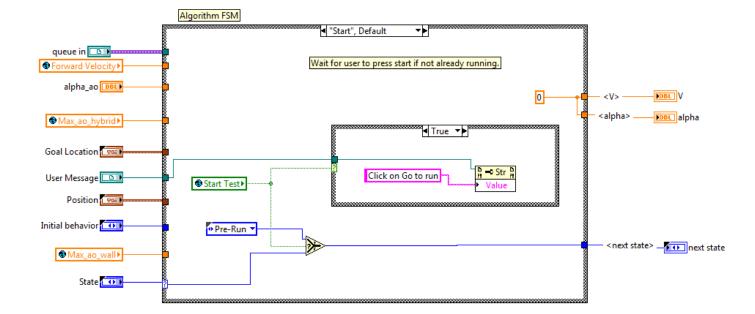
How to specify missions?



#### $\Phi1 = <>((r in I1) & << >(r in I2))$







```
14.
15. # Move the robot to the reference point:
16. robot.MoveJ(target)
17.
18. # Draw a hexagon around the reference target:
19. for i in range(7):
20.    ang = i*2*pi/6 #ang = 0, 60, 120, ..., 360
21.
22.    # Calculate the new position around the reference:
23.    x = xyz_ref[0] + R*cos(ang) # new X coordinate
24.    y = xyz_ref[1] + R*sin(ang) # new Y coordinate
25.    z = xyz_ref[2] # new Z coordinate
26.    target_pos.setPos([x,y,z])
27.
28.    # Move to the new target:
29.    robot.MoveL(target_pos)
30.
```

```
Simple enough?
```

# Means to specify robotic missions

Temporal logic: Φ1=<>((r in l1) && <>(r in l2))

# Logic-based specification of robotic missions

#### • Pros:

- Clear semantics and unambiguous specification
- Can be directly used by planners to generate plans or synthesis approaches to generate controllers
- Enable automatic verification

#### Cons:

- Require specific competencies and errorprone
- Impossible or difficult to specify missions that are complex and with high variability

# Logic-based specification of robotic missions

#### The logic of bugs

Author: Gerard J. Holzmann Authors Info & Claims

SIGSOFT '02/FSE-10: Proceedings of the 10th ACM SIGSOFT symposium on Foundations of software engineering Pages 81 - 87 • https://doi.org/10.1145/587051.587064

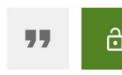
Published: 18 November 2002 Publication History

Check for updates

**77** 51 **7** 738







#### Abstract

Real-life bugs are successful because of their unfailing ability to adapt. In particular this applies to their ability to adapt to strategies that are meant to eradicate them as a species. Software bugs have some of these same traits. We will discuss these traits, and consider what we can do about them.

How to make logic more accessible and user friendly?

Let's take inspiration from the formal verification world

#### Problem space

- Temporal Properties are typically specified as formulae in suitable temporal logics
- The inherent complexity of Temporal Logic formulae may induce to specify properties in a wrong way

#### Solution space

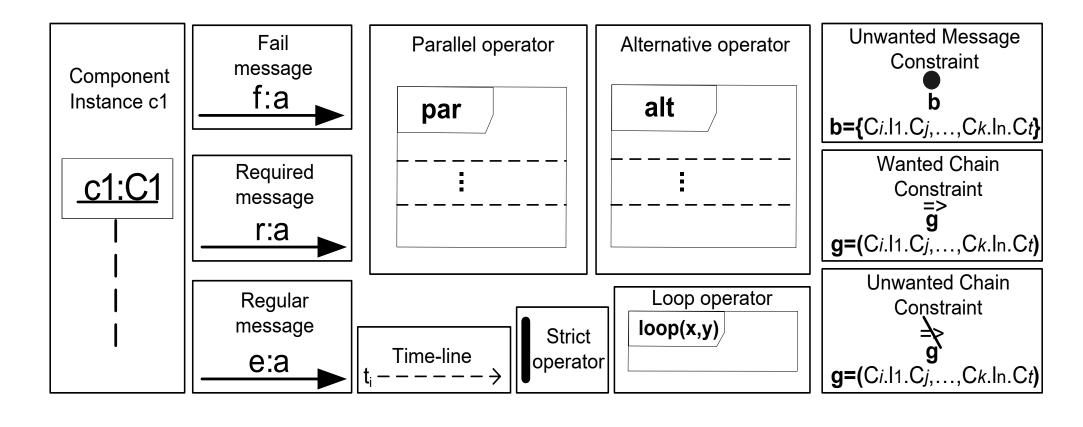
- Languages to facilitate the temporal properties specification
- Property Specification Patterns

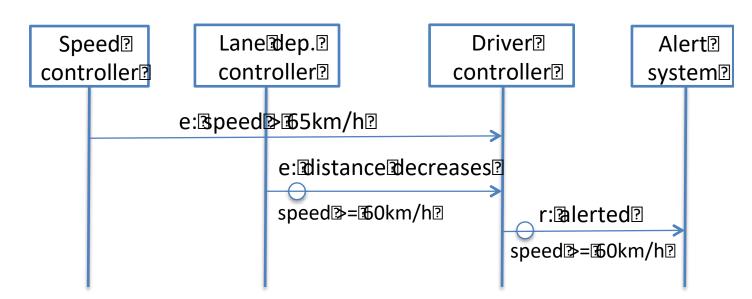


#### Main idea

Reduce the expressivity to what is really needed and simplify

### Properties Sequence Chart (PSC)





- Extensions and uses of PSC
  - Timed Property Sequence Chart (TPSC) http://dx.doi.org/10.1016/j.jss.2009.09.013
  - Probabilistic Timed Property Sequence Chart (PTPSC) - <a href="http://dx.doi.org/10.1109/ASE.2009.56">http://dx.doi.org/10.1109/ASE.2009.56</a>
  - Monitoring of PSC and TPSC properties http://dx.doi.org/10.1007/978-3-642-16612-9 39
  - Monitoring of PTPSC <a href="http://onlinelibrary.wiley.com/doi/10.1002/spe.1038/abstrac">http://onlinelibrary.wiley.com/doi/10.1002/spe.1038/abstrac</a>



PSC is one of the notations adopted within the Presto project (ARTEMIS-2010-1-269362)

http://www.presto-embedded.eu/



PSC is the notation used by MSC Tracer to express temporal properties

http://www.pragmadev.com/product/tracing.html



PSC is the notation used by SDL-RT V2.3 standard to express temporal properties <a href="http://www.sdl-rt.org/">http://www.sdl-rt.org/</a>

Marco Autili, Paola Inverardi, Patrizio Pelliccione (2007) Graphical scenarios for specifying temporal properties: an automated approach, Automated Software Engg. 14: 3. 293-340 <a href="http://www.di.univaq.it/psc/">http://www.di.univaq.it/psc/</a>

### Property specification patterns

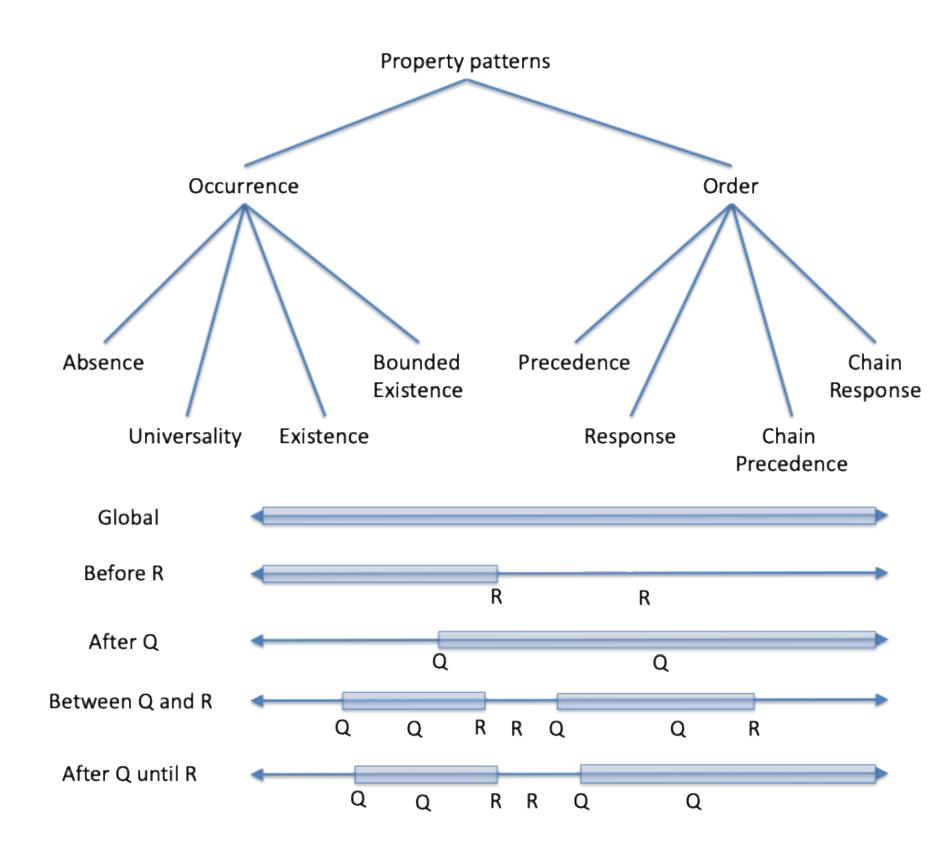
An example: Response pattern

To describe cause-effect relationships between a pair of events/states. An occurrence of the first, the cause, must be followed by an occurrence of the second, the effect.

Also known as **Follows** and **Leads-to**.

#### s responds to P:

Globally	[](P -> <>S)
(*) Before R	<>R -> (P -> (!R U (S & !R))) U R
After Q	[](Q -> [](P -> <>S))
(*) Between Q and R	[]((Q & !R & <>R) -> (P -> (!R U (S & !R))) U R)
(*) After Q until R	[](Q & !R -> ((P -> (!R U (S & !R))) W R)

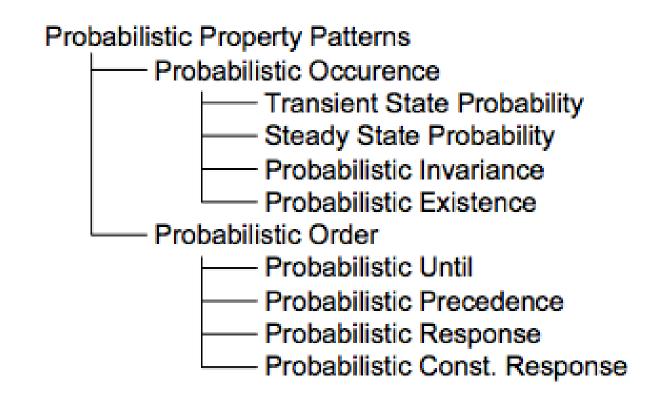


Matthew B. Dwyer, George S. Avrunin, and James C. Corbett. 1999. Patterns in property specifications for finite-state verification. In Proceedings of the 21st international conference on Software engineering (ICSE '99). ACM, New York, NY, USA, 411-420.

# Real-time specification patterns

#### Specification Classification by Qualitative Type Dwyer et. al. Real-time Duration Category Occurrence Order Response Response Minimum Universality Existence Chain 2-1 Chain 1-2 Pattern Absence Constrained

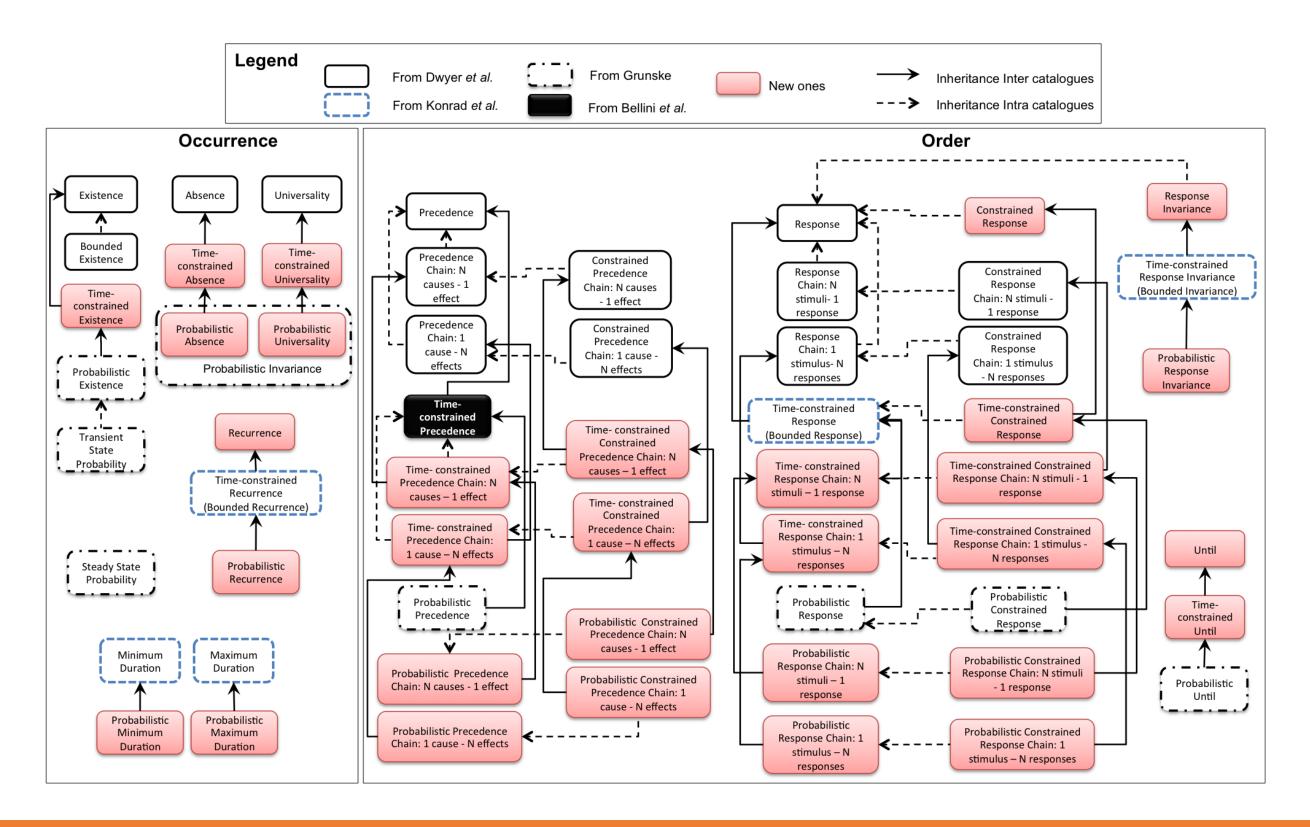
# Probabilistic Property patterns



Sascha Konrad and Betty H. C. Cheng. 2005. Real-time specification patterns. In Proceedings of the 27th international conference on Software engineering (ICSE '05). ACM, New York, NY, USA, 372-381.

Lars Grunske. 2008. Specification patterns for probabilistic quality properties. In *Proceedings of the 30th international conference on Software engineering* (ICSE '08). ACM, New York, NY, USA, 31-40.

#### Unified catalogue of Property specification patterns



Integration of existing catalogues
+
40 newly identified or extended patterns

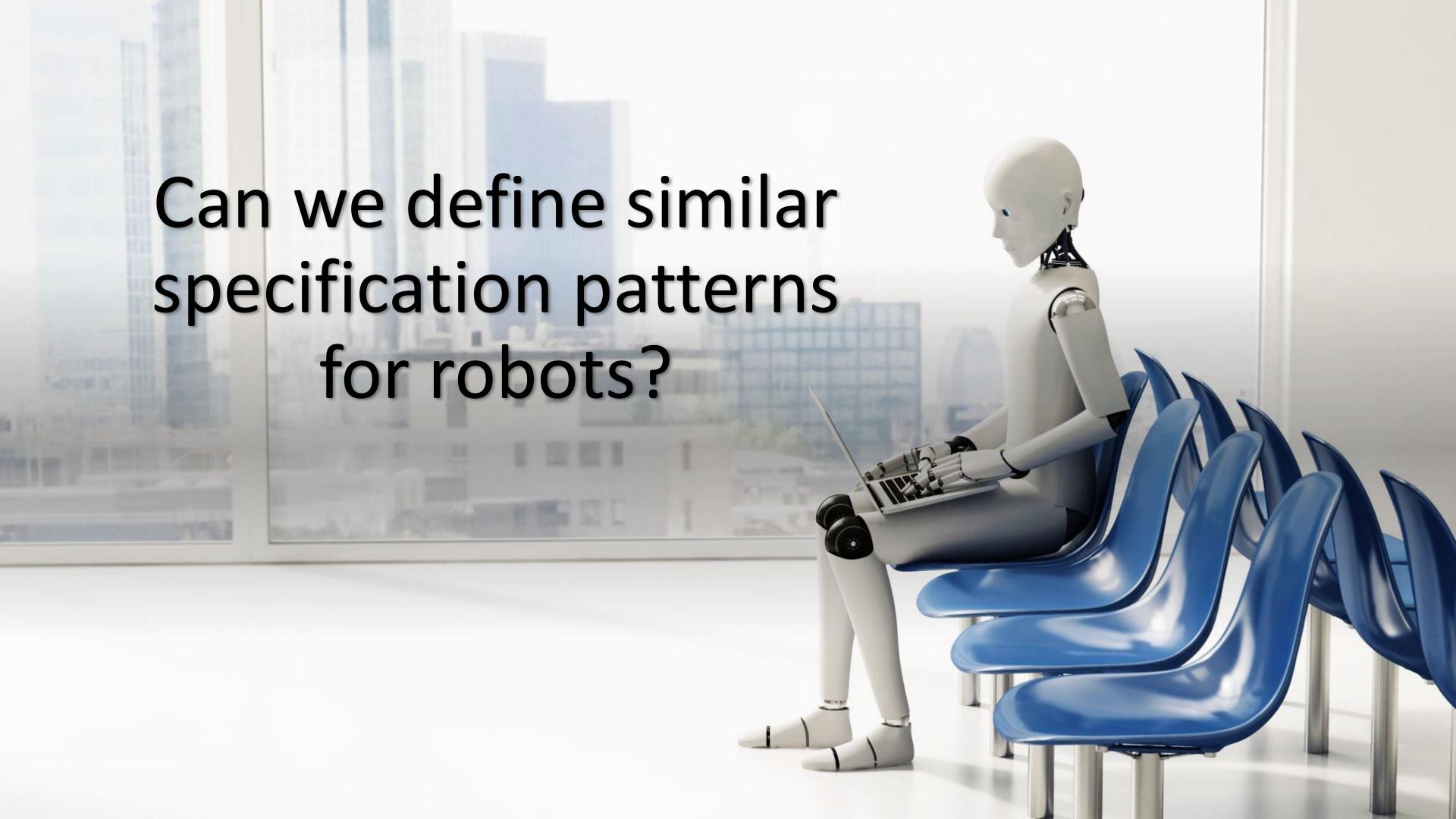
#### Property Specification Patterns and Structured English grammar

```
Precedence:
                                           ::= \Box \left( \Diamond^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to \Diamond^{\llbracket \operatorname{gap}(P) \rrbracket} S \right)
     Globally
                                           ::= \Diamond R \to (\Diamond^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to (\Diamond^{\llbracket \operatorname{gap}(P) \rrbracket} S \vee \Diamond^{\llbracket \operatorname{elapsed}(P) \rrbracket} R)) \mathcal{U} R
     Before \{R\}
                                           ::= \Box (Q \to \Box (\Diamond^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to \Diamond^{\llbracket \operatorname{gap}(P) \rrbracket} S))
    After \{Q\}
      \text{Between } \{Q\} \text{ and } \{R\} ::= \ \Box \ ((Q \land \neg R \land \lozenge \ R) \to (\lozenge^{\llbracket \operatorname{trigger}(P) \rrbracket} \ P \to (\lozenge^{\llbracket \operatorname{gap}(P) \rrbracket} \ S \lor \lozenge^{\llbracket \operatorname{elapsed}(P) \rrbracket} \ R)) \ \mathcal{U} \ R) 
    \mathbf{After} \ \{Q\} \ \ \mathbf{until} \ \ \{R\} \qquad ::= \quad \Box \ ((Q \land \neg R) \to (\lozenge^{\llbracket \mathsf{trigger}(P) \rrbracket} \ P \to (\lozenge^{\llbracket \mathsf{gap}(P) \rrbracket} \ S \lor \lozenge^{\llbracket \mathsf{elapsed}(P) \rrbracket} \ R)) \ \mathcal{W} \ R)
PrecedenceChain<sub>1N</sub>:
                                           ::= \Box \left( \lozenge^{\llbracket \operatorname{trigger}(S) \rrbracket} \left( S \llbracket \operatorname{Ch}(1) \rrbracket \right) \to \lozenge^{\llbracket \operatorname{maxgap}(S) \rrbracket} P \right)
     Globally
                                           ::= \Diamond R \to (\Diamond^{\llbracket \operatorname{trigger}(S) \rrbracket} (S \llbracket \operatorname{Ch}(1) \rrbracket)) \to (\Diamond^{\llbracket \operatorname{maxgap}(S) \rrbracket} P \vee \Diamond^{\llbracket \operatorname{gap}(N-1,S) \rrbracket} R) \mathcal{U} R)
     Before \{R\}
                                          ::= \Box (Q \to \Box (P \to (\Diamond^{\llbracket \operatorname{trigger}(S) \rrbracket} (S \llbracket Ch(1) \rrbracket))))
    After \{Q\}
     Between \{Q\} and \{R\} ::= \square ((Q \land \neg R \land \Diamond R) \rightarrow ((\Diamond^{\llbracket trigger(S) \rrbracket} (S \llbracket Ch(1) \rrbracket)) \rightarrow (\Diamond^{\llbracket maxgap(S) \rrbracket} P \lor \Diamond^{\llbracket gap(N-1,S) \rrbracket} R)) \ \mathcal{U} R)
     \textbf{After} \ \{Q\} \ \ \textbf{until} \ \ \{R\} \\ \ \ \ ::= \ \ \Box \ ((Q \land \neg R) \to ((\lozenge^{\llbracket \texttt{trigger}(S) \rrbracket} \ (S \, \llbracket Ch(1) \rrbracket)) \to (\lozenge^{\llbracket \texttt{maxgap}(S) \rrbracket} \ P \lor \lozenge^{\llbracket \texttt{gap}(N-1,S) \rrbracket} \ R)) \ \mathcal{W} \ R) 
                 with \llbracket Ch(i) \rrbracket = \wedge \bigcirc (\Diamond^{\llbracket utb(T_i) \rrbracket} (T_i \llbracket Ch(i+1) \rrbracket))
ConstrainedPrecedenceChain_{1N}:
                                          ::= \square ([\mathtt{cnt}(S)] \mathcal{U}^{[\mathtt{trigger}(S)]}) (S[C] )
                                                                                                                                            ::= Scope, Pattern.
                                           := \Diamond R \to (\llbracket \operatorname{cnt}(S) \rrbracket \mathcal{U}^{\llbracket \operatorname{trigger}(S) \rrbracket}
    Before \{R\}
                                                                                                                                            ::= Globally | Before \{R\} | After \{Q\} | Between \{Q\} and \{R\} | After \{Q\} until \{R\}
                                          ::= \Box (Q \to \Box (P \to ([\mathtt{cnt}(S)])\mathcal{U} \ \mathsf{Scope})
    Between \{Q\} and \{R\} ::= \square ((Q \land \neg R \land \lozenge R) \to ((\llbracket \mathsf{cnt}( \ \mathsf{Pattern}) \rrbracket))
                                                                                                                                            ::= Occurrence | Order
    After \{Q\} until \{R\} ::= \square ((Q \land \neg R) \to ((\llbracket \operatorname{cnt}(S) \rrbracket \mathcal{U}))
                 with [\![Ch(i)]\!] = \wedge [\![cnt(T_i)]\!] \wedge \bigcirc ([\![cnt(T_i)]\!] \mathcal{U}^{[\![utb(T_i)]\!]} Occurrence
                                                                                                                                            ::= Universality | Absence | Existence | BoundedExistence | TransientState | SteadyState |
PrecedenceChain_{N1}:
                                                                                                                                                      MinimumDuration | MaximumDuration | Recurrence
                                           ::= \square (\lozenge^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to (\lozenge^{\llbracket \operatorname{gap}(P) \rrbracket})
                                                                                                                                            ::= it is always the case that \{P\} [holds] [Time (P)] [Probability]
                                                                                                   Universality
                                           ::= \Diamond R \to ((\Diamond^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to (\Diamond )))
     Before \{R\}
                                          ::= \Box (Q \to \Box (\Diamond^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to \operatorname{Absence})
                                                                                                                                             ::= it is never the case that \{P\} [holds] [Time (P)] [Probability]
     Between \{Q\} and \{R\} ::= \square ((Q \land \neg R \land \lozenge R) \rightarrow ((\lozenge^{\llbracket tz} )))
                                                                                                                                             ::= \{P\} [holds] eventually [Time (P)] [Probability]
     After \{Q\} until \{R\} ::= \square ((Q \land \neg R) \rightarrow ((\lozenge^{\llbracket \text{trigger}(P) \rrbracket}))
                                                                                                    BoundedExistence
                                                                                                                                            ::= \{P\} [holds] at most n times [Time (P)] [Probability]
                  with \llbracket Ch(i) \rrbracket = \wedge \bigcirc (\lozenge^{\llbracket gap(P,i) \rrbracket} (T_i \llbracket Ch(i+1) \rrbracket))
                                                                                                                                             ::= \{P\} [holds] after t_u^P TimeUnits [Probability]
                                                                                                    TransientState
                                                                                                                                             ::= \{P\} [holds] in the long run [Probability]
                                                                                                    SteadyState
                                                                                                                                            ::= once \{P\} [becomes satisfied] it remains so for at least t_u^P TimeUnits [Probability]
                                                                                                    MinimumDuration
                                                                                                                                            ::= once \{P\} [becomes satisfied] it remains so for less than t_u^P TimeUnits [Probability]
                                                                                                                                             ::= \{P\} [holds] repeatedly [every t_u^P TimeUnits] [Probability]
                                                                                                    Recurrence
                                                                                                                                             ::= Precedence | PrecedenceChain_{1N} | PrecedenceChain_{N1} | Until | Response | ResponseChain_{1N} |
                                                                                                                                                      ResponseChainN_1| ResponseInvariance
                                                                                                                                             ::= if \{P\} [holds] then it must have been the case that \{S\} [has occurred] [Interval (P)] before \{P\}
                                                                                                   Precedence
                                                                                                                                                      [holds] [Probability]
                                                                                                    PrecedenceChain<sub>1N</sub> ::= if \{S\} [has occurred] and afterwards (\{T_i\} [UpperTimeBound(T_i)] [Constraint(T_i)]) (1 \le i \le N-1; ",")
                                                                                                                                                      [hold] then it must have been the case that \{P\} [has occurred] [Interval(S)] before \{S\} [holds]
                                                                                                                                                      [Constraint (S)] [Probability]
```

Marco Autili, Lars Grunske, Markus Lumpe, Patrizio Pelliccione, and Antony Tang (2015) Aligning Qualitative, Real-Time, and Probabilistic Property Specification Patterns Using a Structured English Grammar, IEEE Transactions on Software Engineering (TSE), vol. 41, no. 7, pp. 620-638, 1 July 2015, doi: 10.1109/TSE.2015.2398877

#### Property Specification Patterns and Structured English grammar

```
Precedence:
                                          ::= \square (\lozenge \llbracket \operatorname{trigger}(P) \rrbracket P \to \lozenge \llbracket \operatorname{gap}(P) \rrbracket S)
    Globally
                                          := \Diamond R \to (\Diamond \llbracket \operatorname{trigger}(P) \rrbracket P \to (\Diamond \llbracket \operatorname{gap}(P) \rrbracket S \vee \Diamond \llbracket \operatorname{elapsed}(P) \rrbracket R)) \mathcal{U} R
    Before \{R\}
                                          ::= \Box (Q \to \Box (\Diamond \llbracket trigger(P) \rrbracket P \to \Diamond \llbracket gap(P) \rrbracket S))
    Between \{Q\} and \{R\} ::= \square ((Q \land \neg R \land \Diamond R) \rightarrow (\Diamond^{\llbracket \operatorname{trigger}(P) \rrbracket} P \rightarrow (\Diamond^{\llbracket \operatorname{gap}(P) \rrbracket} S \lor \Diamond^{\llbracket \operatorname{elapsed}(P) \rrbracket} R)) \ \mathcal{U} R)
    After \{Q\} until \{R\} ::= \square ((Q \land \neg R) \to (\lozenge^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to (\lozenge^{\llbracket \operatorname{gap}(P) \rrbracket} S \lor \lozenge^{\llbracket \operatorname{elapsed}(P) \rrbracket} R)) W R)
                                          ::= \square \left( \lozenge^{\llbracket \operatorname{trigger}(S) \rrbracket} \left( S \llbracket \operatorname{Ch}(1) \rrbracket \right) \to \lozenge^{\llbracket \operatorname{naxgap}(S) \rrbracket} P \right)
    Globally
                                         ::= \Diamond R \to (\Diamond^{\llbracket \operatorname{trigger}(S) \rrbracket} (S \llbracket Ch(1) \rrbracket)) \to (\Diamond^{\llbracket \operatorname{naxgap}(S) \rrbracket} P \vee \Diamond^{\llbracket \operatorname{gap}(N-1,S) \rrbracket} R) \mathcal{U} R)
                                         := \square (Q \rightarrow \square (P \rightarrow (\lozenge^{\llbracket \operatorname{trigger}(S) \rrbracket} (S \llbracket Ch(1) \rrbracket))))
     \text{Between } \{Q\} \text{ and } \{R\} ::= \ \Box \left( (Q \land \neg R \land \lozenge R) \rightarrow \left( (\lozenge^{\llbracket \text{trigger}(S) \rrbracket} \left( S \, \llbracket \, Ch(1) \rrbracket \right) \right) \rightarrow (\lozenge^{\llbracket \text{naxgap}(S) \rrbracket} \, P \lor \lozenge^{\llbracket \text{gap}(N-1,S) \rrbracket} \, R) \right) \, \mathcal{U} \, R ) 
     \text{After } \{Q\} \text{ until } \{R\} \quad ::= \quad \Box \; ((Q \land \neg R) \to ((\lozenge^{\llbracket \operatorname{trigger}(S) \rrbracket} \; (S \, \llbracket \operatorname{Ch}(1) \rrbracket)) \to (\lozenge^{\llbracket \operatorname{naxgap}(S) \rrbracket} \; P \lor \lozenge^{\llbracket \operatorname{gap}(N-1,S) \rrbracket} \; R)) \; \mathcal{W} \; R) 
                 with \llbracket Ch(i) \rrbracket = \wedge \bigcirc (\lozenge^{\llbracket \operatorname{utb}(T_i) \rrbracket} (T_i \llbracket Ch(i+1) \rrbracket))
                                           ::= \square ([\operatorname{cnt}(S)]\mathcal{U}^{[\operatorname{trigger}(S)]}(S[\operatorname{Ch}(1)]) \to \lozenge^{[\operatorname{naxgap}(S)]}P))
                                          ::= ◊ R → ([cnt(S)]U[trigger] Property
                                                                                                                                        ::= Scope, Pattern.
                                         ::= \square (Q \rightarrow \square (P \rightarrow ([cnt(S
                                                                                                                                        ::= Globally | Before \{R\} | After \{Q\} | Between \{Q\} and \{R\} | After \{Q\} until \{R\}
    Between \{Q\} and \{R\} ::= \square ((Q \land \neg R \land \lozenge R) \rightarrow (()))
    After \{Q\} until \{R\} ::= \square ((Q \land \neg R) \rightarrow (([cnt(S] pattern
                                                                                                                                        ::= Occurrence | Order
                 with \llbracket Ch(i) \rrbracket = \wedge \llbracket \operatorname{cnt}(T_i) \rrbracket \wedge \bigcirc (\llbracket \operatorname{cnt}(T_i) \rrbracket \mathcal{U}^{\llbracket \operatorname{ut} \rrbracket})
                                                                                              Occurrence
                                                                                                                                       ::= Universality | Absence | Existence | BoundedExistence | TransientState | SteadyState |
                                           ::= \square (\lozenge^{\llbracket \operatorname{trigger}(P) \rrbracket} P \to (\lozenge^{\llbracket e \rrbracket})
    Globally
                                                                                                                                                MinimumDuration | MaximumDuration | Recurrence
                                          ::= \Diamond R \rightarrow ((\Diamond^{[trigger(P)]]} P)
                                                                                                                                        ::= it is always the case that \{P\} [holds] [Time (P)] [Probability]
                                                                                              Universality
                                          ::= \square (Q \rightarrow \square (\lozenge^{[\text{trigger}(P)]]})
                                                                                                                                        ::= it is never the case that \{P\} [holds] [Time (P)] [Probability]
    Between \{Q\} and \{R\} ::= \square ((Q \land \neg R \land \Diamond R) \rightarrow (Q \land \neg R \land \Diamond R))
     After \{Q\} until \{R\} ::= \square ((Q \land \neg R) \rightarrow ((\lozenge^{\text{[trigge}})))
                                                                                              Existence
                                                                                                                                        ::= \{P\} [holds] eventually [Time (P)] [Probability]
                with \llbracket Ch(i) \rrbracket = \wedge \bigcirc (\Diamond^{\llbracket gap(P,i) \rrbracket}) (T_i \llbracket Ch(i+1) ]
                                                                                              BoundedExistence
                                                                                                                                       ::= \{P\} [holds] at most n times [Time (P)] [Probability]
                                                                                                                                        ::=\{P\} [holds] after t_u^P TimeUnits [Probability]
                                                                                              TransientState
                                                                                                                                        ::= \{P\} [holds] in the long run [Probability]
                                                                                              SteadyState
                                                                                                                                       ::= once \{P\} [becomes satisfied] it remains so for at least t_u^P TimeUnits [Probability]
                                                                                              MinimumDuration
                                                                                                                                       ::= once \{P\} [becomes satisfied] it remains so for less than t_u^P TimeUnits [Probability]
                                                                                                                                        ::= \{P\} [holds] repeatedly [every t_u^P TimeUnits] [Probability]
                                                                                               Recurrence
                                                                                                                                        ::= Precedence | PrecedenceChain_{1N} | PrecedenceChain_{N1} | Until | Response | ResponseChain_{1N} |
                                                                                                                                                ResponseChainN_1| ResponseInvariance
                                                                                                                                        ::= if \{P\} [holds] then it must have been the case that \{S\} [has occurred] [Interval (P)] before \{P\}
                                                                                              Precedence
                                                                                                                                                 [holds] [Probability]
                                                                                              PrecedenceChain<sub>1N</sub> ::= if \{S\} [has occurred] and afterwards (\{T_i\} [UpperTimeBound(T_i)] [Constraint(T_i)]) (1 \le i \le N-1; ",")
                                                                                                                                                 [hold] then it must have been the case that \{P\} [has occurred] [Interval(S)] before \{S\} [holds]
                                                                                                                                                 [Constraint (S)] [Probability]
```





# Let's first discuss another important aspect

Simplicity but keeping rigorousness

In this context, Ambiguity is evil!

"A robot r shall visit the two locations I1 and I2 in this order"

"A robot r shall visit the two locations I1 and I2 in this order"

I1 and then I2

Ambielite

"A robot r shall visit the two locations l1 and l2 in this order"

I1 and then I2

Is it possible to visit I2 before I1 and then to visit I2?

"A robot r shall visit the two locations I1 and I2 in this order"

11 and then 12

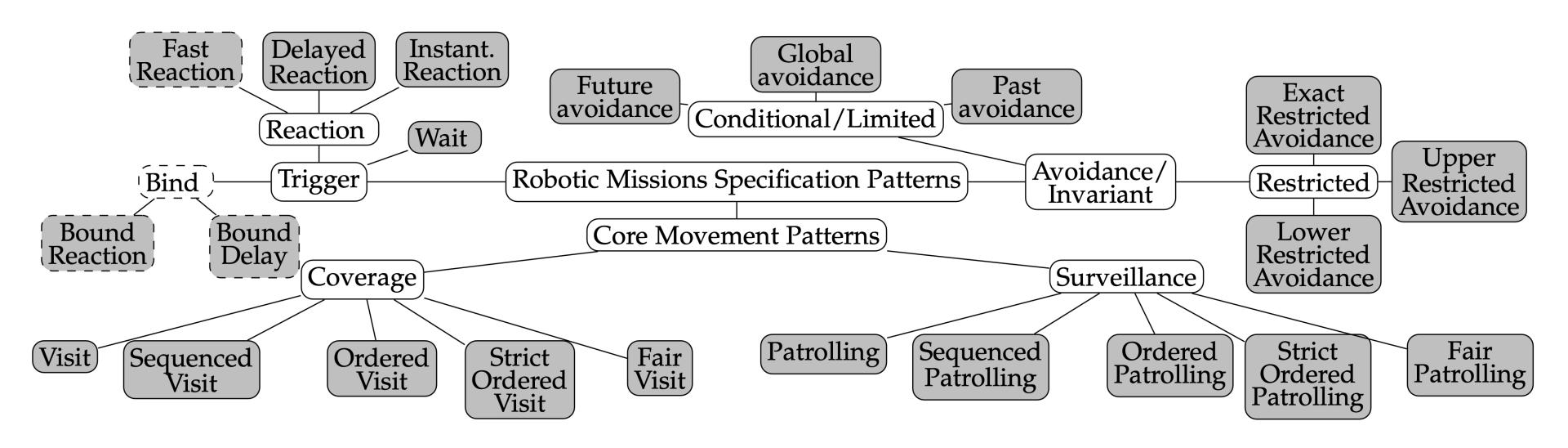
Is it possible to visit I2 before I1 and then to visit I2?

If we allow an ambiguous specification, which behavior will have the robot, and who will decide it?

This is why ambiguity is evil!

# Mission specification patterns for robots

#### Specification Patterns



#### Specification Patterns

	Description	Example	<b>Formula</b> $(l_1, l_2, \dots)$ are location propositions)
Visit	Visit a set of locations in an unspecified order.	Locations $l_1$ , $l_2$ , and $l_3$ must be visited. $l_1 \rightarrow l_4 \rightarrow l_3 \rightarrow l_1 \rightarrow l_4 \rightarrow l_2 \rightarrow (l_\#)^\omega$ is an example trace that satisfies the mission requirement.	$igwedge_{i=1}^n \mathcal{F}(l_i)$
Sequenced Visit	Visit a set of locations in sequence, one after the other.	Locations $l_1$ , $l_2$ , $l_3$ must be covered following this sequence. The trace $l_1 \to l_4 \to l_3 \to l_1 \to l_4 \to l_2 \to (l_{\#\backslash 3})^\omega$ violates the mission since $l_3$ does not follow $l_2$ . The trace $l_1 \to l_3 \to l_1 \to l_2 \to l_4 \to l_3 \to (l_\#)^\omega$ satisfies the mission requirement.	$\mathcal{F}(l_1 \wedge \mathcal{F}(l_2 \wedge \dots \mathcal{F}(l_n)))$
Ordered Visit	The sequenced visit pattern does not forbid to visit a successor location before its predecessor, but only that after the predecessor is visited the successor is also visited. Ordered visit forbids a successor to be visited before its predecessor.	Locations $l_1$ , $l_2$ , $l_3$ must be covered following this order. The trace $l_1 \rightarrow l_3 \rightarrow l_1 \rightarrow l_2 \rightarrow l_3 \rightarrow (l_\#)^\omega$ does not satisfy the mission requirement since $l_3$ preceds $l_2$ . The trace $l_1 \rightarrow l_4 \rightarrow l_1 \rightarrow l_2 \rightarrow l_4 \rightarrow l_3 \rightarrow (l_\#)^\omega$ satisfies the mission requirement.	$egin{aligned} \mathcal{F}(l_1 \wedge \mathcal{F}(l_2 \wedge \dots \mathcal{F}(l_n))) \ & igwedge_{n-1} \ ( egline l_{i+1})  \mathcal{U}  l_i \end{aligned}$
Strict Ordered Visit	The ordered visit pattern does not avoid a predecessor location to be visited multiple times before its successor. Strict ordered visit forbids this behavior.	Locations $l_1, l_2, l_3$ must be covered following the strict order $l_1, l_2, l_3$ . The trace $l_1 \rightarrow l_4 \rightarrow l_1 \rightarrow l_2 \rightarrow l_4 \rightarrow l_3 \rightarrow (l_\#)^\omega$ does not satisfy the mission requirement since $l_1$ occurs twice before $l_2$ . The trace $l_1 \rightarrow l_4 \rightarrow l_2 \rightarrow l_4 \rightarrow l_3 \rightarrow (l_\#)^\omega$ satisfies the mission requirement.	$\mathcal{F}(l_1 \wedge \mathcal{F}(l_2 \wedge \dots \mathcal{F}(l_n))) \ \stackrel{n-1}{\bigwedge_{i=1}^{n-1}} (\neg l_{i+1}) \mathcal{U}  l_i \ \stackrel{i=1}{\bigwedge_{i=1}^{n-1}} (\neg l_i) U(l_i \wedge \mathcal{X}(\neg l_i  \mathcal{U}(l_{i+1})))$
Fair Visit	The difference among the number of times locations within a set are visited is at most one.	Locations $l_1$ , $l_2$ , $l_3$ must be covered in a fair way. The trace $l_1 \rightarrow l_4 \rightarrow l_1 \rightarrow l_3 \rightarrow l_1 \rightarrow l_4 \rightarrow l_2 \rightarrow (l_{\#\backslash\{1,2,3\}})^{\omega}$ does not perform a fair visit since it visits $l_1$ three times while $l_2$ and $l_3$ are visited once. The trace $l_1 \rightarrow l_4 \rightarrow l_3 \rightarrow l_1 \rightarrow l_4 \rightarrow l_2 \rightarrow l_2 \rightarrow l_4 \rightarrow (l_{\#\backslash\{1,2,3\}})^{\omega}$ performs a fair visit since it visits locations $l_1$ , $l_2$ , and $l_3$ twice.	$igwedge_{i=1}^n \mathcal{F}(l_i) \ igwedge_{i=1}^n \mathcal{G}(l_i  ightarrow \mathcal{X}(( eg l_i)  \mathcal{W}  l_{(i+1)\%n}))$

Claudio Menghi, Christos Tsigkanos, Patrizio Pelliccione, Carlo Ghezzi, and Thorsten Berger, Specification Patterns for Robotic Missions, Transactions on Software Engineering (TSE), 2019

## An example of pattern

Name: Strict Ordered Patrolling

**Intent:** A robot must patrol a set of locations following a strict sequence ordering. Such locations can be, e.g., areas in a building to be surveyed.

**Template:** The following formula encodes the mission in LTL for n locations and a robot r (% is the modulo arithmetic operator):

$$\bigwedge_{i=1}^{n} \mathcal{G}(\mathcal{F}(l_{1} \wedge \mathcal{F}(l_{2} \wedge \dots \mathcal{F}(l_{n})))) \bigwedge_{i=1}^{n-1} ((\neg l_{i+1}) \mathcal{U} l_{i}) \bigwedge_{i=1}^{n} \mathcal{G}(l_{(i+1)\%n} \to \mathcal{X}((\neg l_{(i+1)\%n}) \mathcal{U} l_{i}))$$

Example with two locations.

$$\mathcal{G}(\mathcal{F}(l_1 \wedge \mathcal{F}(l_2))) \wedge ((\neg l_2) \ \mathcal{U} \ l_1) \wedge \mathcal{G}(l_2 \to \mathcal{X}((\neg l_2) \ \mathcal{U} \ l_1)) \wedge \mathcal{G}(l_1 \to \mathcal{X}((\neg l_1) \ \mathcal{U} \ l_2))$$

where  $l_1$  and  $l_2$  are expressions that indicate that a robot r is in locations  $l_1$  and  $l_2$ , respectively.

**Variations:** A developer may want to allow traces in which sequences of *consecutive*  $l_1$  ( $l_2$ ) are allowed, that is strict ordering is applied on sequences of non consecutive  $l_1$  ( $l_2$ ). In this case, traces in the form  $l_1 \to (\to l_1 \to l_3 \to l_2)^{\omega}$  are admitted, while traces in the form  $l_1 \to (\to l_1 \to l_3 \to l_1 \to l_2)^{\omega}$  are not admitted. This variation can be encoded using the following specification:

$$\mathcal{G}(\mathcal{F}(l_1 \wedge \mathcal{F}(l_2))) \wedge ((\neg l_2) \ \mathcal{U} \ l_1) \wedge \mathcal{G}((l_2 \wedge \mathcal{X}(\neg l_2)) \rightarrow \mathcal{X}((\neg l_2) \ \mathcal{U} \ l_1)) \wedge \mathcal{G}((l_1 \wedge \mathcal{X}(\neg l_1)) \rightarrow \mathcal{X}((\neg l_1) \ \mathcal{U} \ l_2))$$

This specification allows for sequences of consecutive  $l_1$  ( $l_2$ ) since the left side of the implication  $l_1 \wedge \mathcal{X}(\neg l_1)$  ( $l_2 \wedge \mathcal{X}(\neg l_2)$ ) is only triggered when  $l_1$  ( $l_2$ ) is exited.

**Examples and Known Uses:** A common usage example of the Strict Ordered Patrolling pattern is a scenario where a robot is performing surveillance in a building during night hours. Strict Sequence Patrolling and Avoidance often go together. Avoidance patterns are used to force robots to avoid obstacles as they guard a location. Triggers can also be used in combination with the Strict Sequence Patrolling pattern to specify conditions upon which Patrolling should start or stop.

**Relationships:** The Strict Ordered Patrolling pattern is a specialisation of the Ordered Patrolling pattern, forcing the strict ordering. **Occurrences:** Smith et. al. [74] proposed a mission specification forcing a robot to not visit a location twice in a row before a target location is

reached.

#### Further info about specification patterns

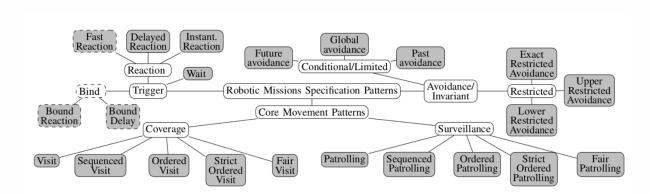
SPECIFICATION PATTERNS FOR ROBOTIC MISSIONS

#### SPECIFICATION PATTERNS FOR ROBOTIC **MISSIONS**

This page complements the paper "Specification Patterns for Robotic Missions" and is an online repository of a specification pattern catalog for missions of mobile robots. The pattern system is not intended to be exhaustive or complete, and the repository is not intended to be static. The set of patterns will grow over time as designers specify missions that do not belong to the provided patterns.

You can further find the patterns, information on evaluation, requirements collection and tool support through PsALM. Reproduction kits, specifications and accompanying code can be found in experiments.

#### **Pattern Catalog**



Claudio Menghi, Christos Tsigkanos, Patrizio Pelliccione, Carlo Ghezzi, and Thorsten Berger, Specification Patterns for Robotic Missions, **Transactions on Software Engineering (TSE)**, 2019

Journal First-track at ICSE 2020

Claudio Menghi, Christos Tsigkanos, Thorsten Berger, and Patrizio Pelliccione, PsALM: Specification of Dependable Robotic Missions. IEEE/ACM **ICSE Demo**, 2019.

https://github.com/claudiomenghi/PsAIM



http://roboticpatterns.com

# Are these patterns enough? Example of mission requirement

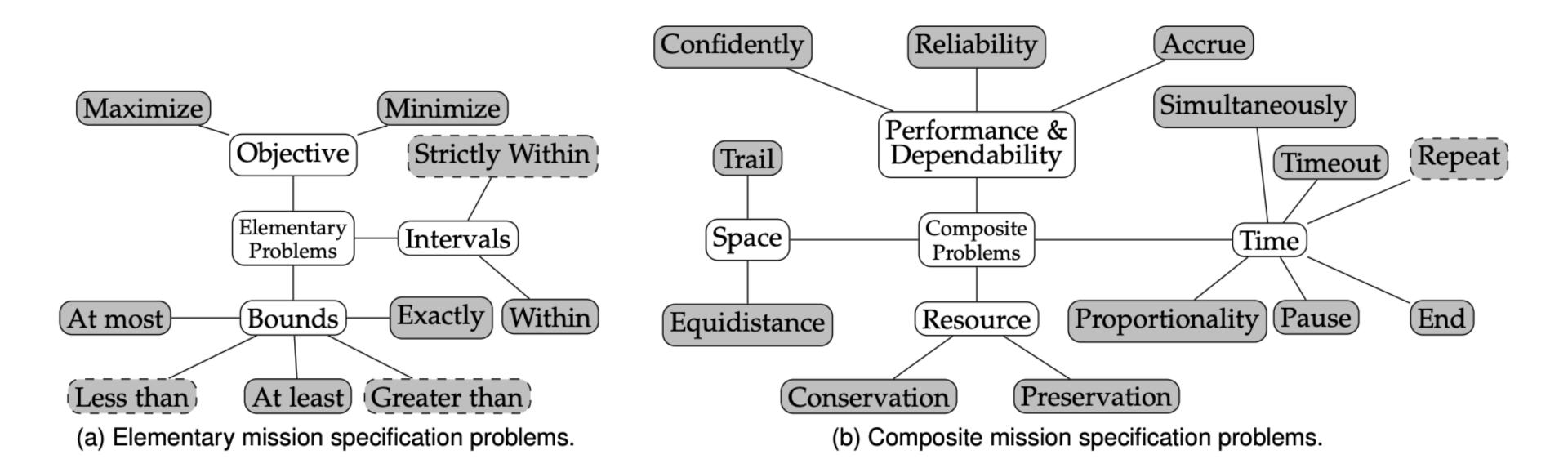
"After closure, the robots shall clean the electronics store. After cleaning, they shall visit a set of predefined store locations, each at least once, to record the items present on shelves after closure. The robots must minimize the time required to perform this activity. The robots should also patrol the store for security purposes, following any intruder while raising an alarm. The robots should interleave cleaning and security patrolling so that intruders do not remain undetected while the robots are cleaning continually for long periods of time. The robots should monitor their battery, optimize its usage, and recharge when needed. They should avoid recharging simultaneously and leaving the store unmonitored."

# Support for quantitative aspects

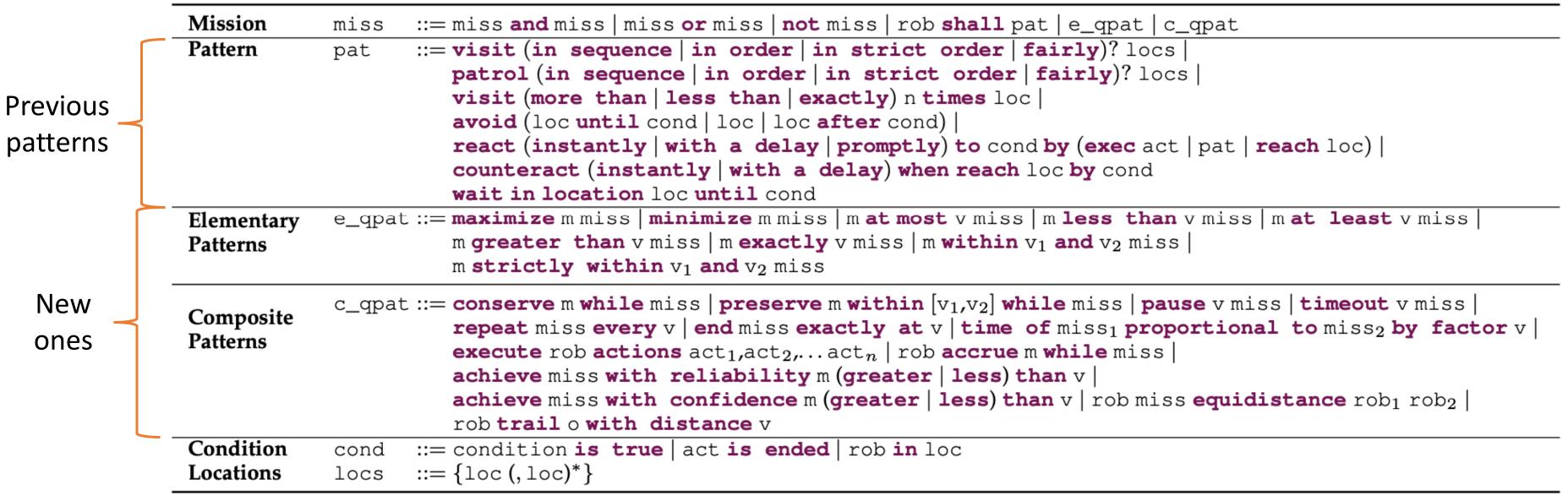
Users and operators of robotic systems often require behaviors that ensure quantitative constraints such as **upper bounds** on the **time** a robot takes to perform an action, the **energy consumption** to complete that action, or the **probability of failing** to achieve a mission goal.



# We extended previous patterns to support the specification of quantitative properties



# Domain Specific Language (DSL) including previous patterns



<sup>\*</sup> miss, miss<sub>1</sub>, miss<sub>2</sub> are missions; v,  $v_1$ ,  $v_2$  are values; rob is a robot, o is an object, m is the name of the quantitative measure.

#### New "quantitative" patterns

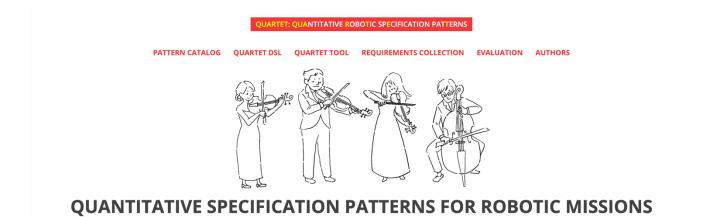
Problem	Description	DSL
Maximize	Maximize m while performing the mission miss.	maximize m miss
Minimize	Minimize m while performing the mission miss.	minimize m miss
At most	Keep m lower than or equal to v while performing miss.	m at most v miss
Less than	Keep m strictly lower than v while performing miss.	m less than v miss
At least	Keep m greater than or equal to v while performing miss.	m at least v miss
Greater than	Keep m strictly greater than v while performing miss.	m greater than v miss
Exactly	Keep m exactly v while performing miss.	m <b>exactly</b> v miss
Within	Keep m within the (closed) interval $[v_1, v_2]$ while performing miss.	m <b>within</b> $v_1$ <b>and</b> $v_2$ miss
Strictly Within	Keep m within the (open) interval $(v_1, v_2)$ while performing miss.	m strictly within $v_1$ and $v_2$ miss
Conservation	Minimize the value of m performing miss.	conserve m while miss
Preservation	Keep the value of m within interval $[b_l, b_u]$ while performing miss.	<b>preserve</b> m within $[v_1, v_2]$ while miss
Pause	Pause the mission miss for v time instants. Then, resume it.	pause v miss
Timeout-deadline	Execute miss. Stop the the execution when the timeout v is reached.	timeout v miss
Repeat	Repeat the mission miss every v time units.	repeat miss every v
End	Terminate mission miss exactly at time v.	end miss exactly_at v
Proportionality	Keep the time to perform $miss_1$ and $miss_2$ proportional by a factor v.	time of miss <sub>1</sub> proportional to []
Simultaneously	Execute the actions $act_1, act_2, \ldots, act_n$ simultaneously.	<b>execute</b> rob <b>actions</b> $act_1,act_2,act_n$
Accrue	Maximize the performance m while performing miss.	rob accrue m while miss
Reliably	Ensure that the measure m is higher/lower than the value v.	achieve miss with reliability m []
Confidently	Achieve miss and ensure that confidence m is higher/lower than v.	achieve miss with confidence m []
Equidistance	rob performs miss by keeping $rob_1$ and $rob_2$ at the same distance.	rob miss <b>equidistance</b> rob <sub>1</sub> rob <sub>2</sub>
Trail	rob follows object o keeping a distance v.	rob trail o with distance v

<sup>\*</sup> miss, miss<sub>1</sub>, miss<sub>2</sub> are missions; v,  $v_1$ ,  $v_2$  are values; rob is a robot, o is an object, m is the name of the quantitative measure. [...] represents portions of the DSL of Figure 4 omitted for graphical reasons.

# Translation to Probabilistic Reward Computation Tree Logic (PRCTL)

```
\tau(\text{miss1} \text{ and } \text{miss2}) = \tau(\text{miss1}) \land \tau(\text{miss2})
                                                                                                                                     \tau(\text{miss1} \circ \mathbf{r} \text{ miss2}) = \tau(\text{miss1}) \vee \tau(\text{miss2})
Mission
                                                                                                                                      rob shall pat = \tau(pat[r \leftarrow \text{rob}])
                                 \tau(\text{not miss}) = \neg \tau(\text{miss})
                                                                     	au(	exttt{maximize} 	exttt{ m miss}) = \mathcal{P}_{max=?}(	au(	exttt{miss}))
                                                                                                                                                                     	au(	exttt{minimize} 	exttt{ m miss}) = \mathcal{P}_{min=?}(	au(	exttt{miss}))
                                                                     \tau(\text{m at most v miss}) = \mathcal{P}_{\leq_{\text{v}}}(\tau(\text{miss}))
                                                                                                                                                                    \tau(\text{m less than v miss}) = \mathcal{P}_{<_{\text{V}}}(\tau(\text{miss}))
                                                                     	au(\mathtt{m} \ \mathtt{at} \ \mathtt{least} \ \mathtt{v} \ \mathtt{miss}) = \overline{\mathcal{P}}_{>_{\mathtt{V}}}(	au(\mathtt{miss}))
                                                                                                                                                                     \tau(\text{m greater than v miss}) = \mathcal{P}_{>v}(\tau(\text{miss}))
                                         Prob.
Elementary
                                                                     \tau(\texttt{m} \ \textbf{exactly} \ \texttt{v} \ \texttt{miss}) = \mathcal{P}_{\geq \texttt{v}}^-(\tau(\texttt{miss})) \land \mathcal{P}_{\leq \texttt{v}}(\tau(\texttt{miss}))
Patterns
                                                                     \tau(\texttt{m} \ \texttt{within} \ \texttt{v}_1 \ \texttt{and} \ \texttt{v}_2 \ \texttt{miss}) = \mathcal{P}_{\geq \texttt{v}_1}(\tau(\texttt{miss})) \land \mathcal{P}_{\leq \texttt{v}_2}(\tau(\texttt{miss}))
                                                                     \tau(m \text{ strictly within } v_1 \text{ and } v_2 \text{ miss}) = \mathcal{P}_{>v_1}(\tau(m \text{iss})) \wedge \mathcal{P}_{<v_2}(\tau(m \text{iss}))
                                                                    	au(	exttt{maximize} 	exttt{ m miss}) = \mathcal{E}_{max=?}(	au(	exttt{miss})) \qquad 	au(	exttt{minimize} 	exttt{ m miss}) = \mathcal{E}_{min=?}(	au(	exttt{miss}))
                                                                     	au(	exttt{m at most} 	exttt{ v miss}) = \mathcal{E}_{[0,	ext{v}]}(	au(	exttt{miss}))
                                                                                                                                                                   	au(	exttt{m less than } 	exttt{v miss}) = \mathcal{E}_{[0,	exttt{v})}(	au(	exttt{miss}))
                                                                     \tau(\texttt{m at least} \ \texttt{v miss}) = \mathcal{E}_{[\texttt{v},\infty)}(\tau(\texttt{miss})) \quad \tau(\texttt{m greater than} \ \texttt{v miss}) = \mathcal{E}_{(\texttt{v},\infty)}(\tau(\texttt{miss}))
                                         Rewards
                                                                    	au(\mathtt{m} \ \mathbf{exactly} \ \mathtt{v} \ \mathtt{miss}) = \mathcal{E}_{\geq \mathtt{v}}(	au(\mathtt{miss})) \land \mathcal{E}_{\leq \mathtt{v}}(	au(\mathtt{miss}))
                                                                    \tau(\texttt{m within } \texttt{v}_1 \texttt{ and } \texttt{v}_2 \texttt{ miss}) = \mathcal{E}_{[\texttt{v}_1,\infty)}(\tau(\texttt{miss})) \land \mathcal{E}_{[0,\texttt{v}_2]}(\tau(\texttt{miss}))
                                                                     	au(\texttt{m} 	ext{ strictly within } v_1 	ext{ and } v_2 	ext{ miss}) = \mathcal{E}_{(v_1,\infty)}(	au(\texttt{miss})) \wedge \mathcal{E}_{[0,v_2)}(	au(\texttt{miss}))
                                	au(	extsf{conserve} 	ext{ m while} 	ext{ miss}) = \mathcal{E}_{min=?}(	au(	ext{miss}))
                                	au(\mathbf{preserve} \ \mathbf{m} \ \mathbf{within} \ [\mathbf{v}_1, \mathbf{v}_2] \ \mathbf{while} \ \mathbf{miss}) = \mathcal{E}_{[\mathbf{v}_1, \mathbf{v}_2]}(\tau(\mathbf{miss}))
	au(\mathbf{pause} \ \mathbf{v} \ \mathbf{miss}) = \mathcal{G}^{[0, \mathbf{v}]} \ \tau(\neg \mathbf{miss}) \wedge (\mathcal{F}^{[\mathbf{v}+1, \mathbf{v}+1]}(\tau(\mathbf{miss})))
                                	au(	exttt{timeout} 	ext{ v miss}) = \mathcal{G}^{[	ext{v},\infty]}(\neg 	au(	ext{miss}))
                                \tau(\textbf{repeat}\ \texttt{miss}\ \textbf{every}\ \texttt{v}) = \tau(\texttt{miss}) \land \mathcal{G}^{[0,\infty]}(\tau(\texttt{miss}) \rightarrow (\mathcal{G}^{[1,\texttt{v}-1]}(\neg \tau(\texttt{miss})) \land (\mathcal{F}^{[\texttt{v},\texttt{v}]}(\tau(\texttt{miss})))))
                                \tau(\texttt{end}\,\texttt{miss}\,\texttt{exactly}\,\,\texttt{at}\,\,\texttt{v}) = \mathcal{G}^{[0,\texttt{v})}(\tau(\texttt{miss})) \wedge \mathcal{G}^{[\texttt{v},\infty]}(\neg\tau(\texttt{miss}))
                                 \tau(time of miss<sub>1</sub> proportional to miss<sub>2</sub> by factor v)=NA (Not Available in PRCTL)
Composite
                                \tau(execute rob actions act<sub>1</sub>,act<sub>2</sub>,..., act<sub>n</sub>)= \mathcal{F}(\bigwedge_{i=1}^{n} \operatorname{act}_{i})
Patterns
                                \tau(r accrue m while miss)= \mathcal{E}_{max=?}(\tau(\text{miss}))
                                 \tau(achieve miss with reliability m (greater | less) than v)= \mathcal{E}_{[v,\infty)}(\tau(\text{miss}))/\mathcal{E}_{[0,v)}(\tau(\text{miss}))
                                 \tau(achieve miss with confidence m (greater | less) than v)=\mathcal{L}_{>v}(\tau(\text{miss}))/\mathcal{L}_{<v}(\tau(\text{miss}))
                                \tau(rob miss equidistance rob<sub>1</sub> rob<sub>2</sub>)=NA (Not Available in PRCTL)
                                 \tau(rob trail o with distance v)=NA (Not Available in PRCTL)
```

#### Further info about specification patterns



This page complements the manuscript "Robotic Mission Specification Patterns: Providing Support for Quantitative Properties" and is an online repository of a quantitative specification pattern catalog for missions of mobile robots, along with an accompanying DSL and tool support: QUARTET. The pattern system is not intended to be exhaustive or complete, and the repository is not intended to be static. The set of patterns will grow over time as designers specify missions that do not belong to the provided patterns.

specifications and accompanying code can be found in evaluation. See also an introductory video to QUARTET.

Claudio Menghi, Christos Tsigkanos, Mehrnoosh Askarpour, Patrizio Pelliccione, Gricel Vazquez, Radu Calinescu, and Sergio García "Mission Specification Patterns for Mobile Robots: Providing Support for Quantitative Properties," in IEEE Transactions on Software Engineering (TSE), doi: 10.1109/TSE.2022.3230059.

#### Mission Specification Patterns for Mobile Robots

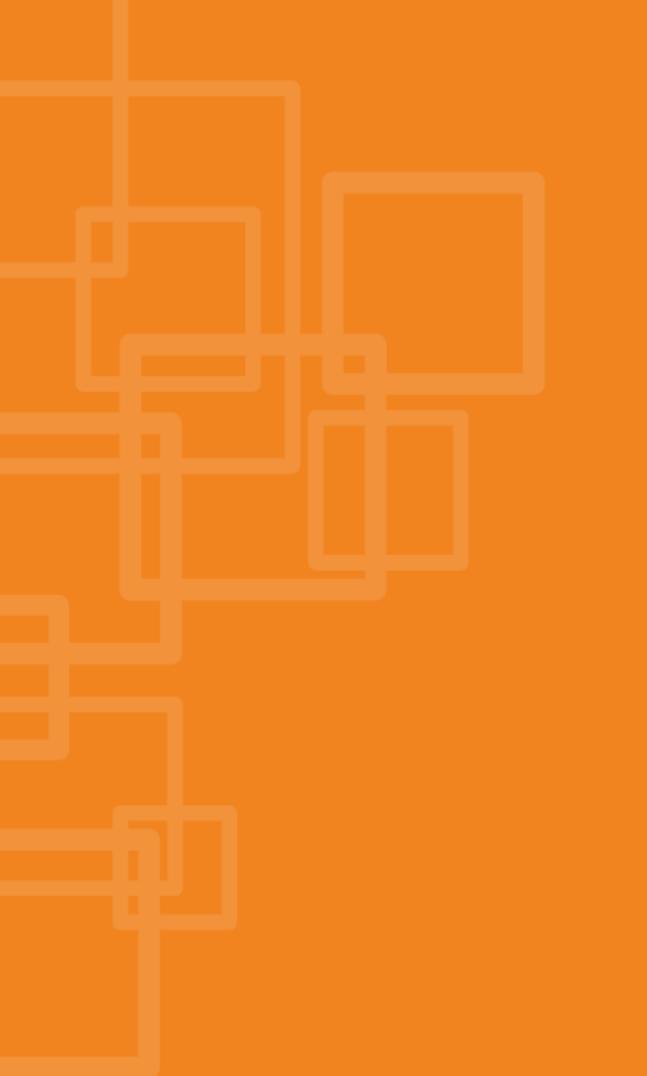
You can further find the patterns, information on requirements collection as well as DSL and tool support through QUARTET. Reproduction kits,



https://github.com/Gricel-lee/Quartet-MRS-DSL



https://roboticpatterns.com/quantitative



Mission specification patterns for robots simplify and makes the specification accessible.

What's missing?



#### What's missing?

- Single robots
- Focus on movements
- How to deal with variability of the real world?

# Two steps

#### What kind of missions are specified in practice?

- Identification of missions already specified in practice (i.e. papers, documents of robotic companies)
- Definition of a catalogue of mission specification patterns
- Tool support for assisting users in the specification of missions via the use and instantiation of patterns

# How to use these patterns to specify complex missions?

- Definition of operators to combine the mission specification patterns
- Definition of a Domain Specific Language (DSL) with graphical and textual syntax
- Definition of a tool support for the DSL



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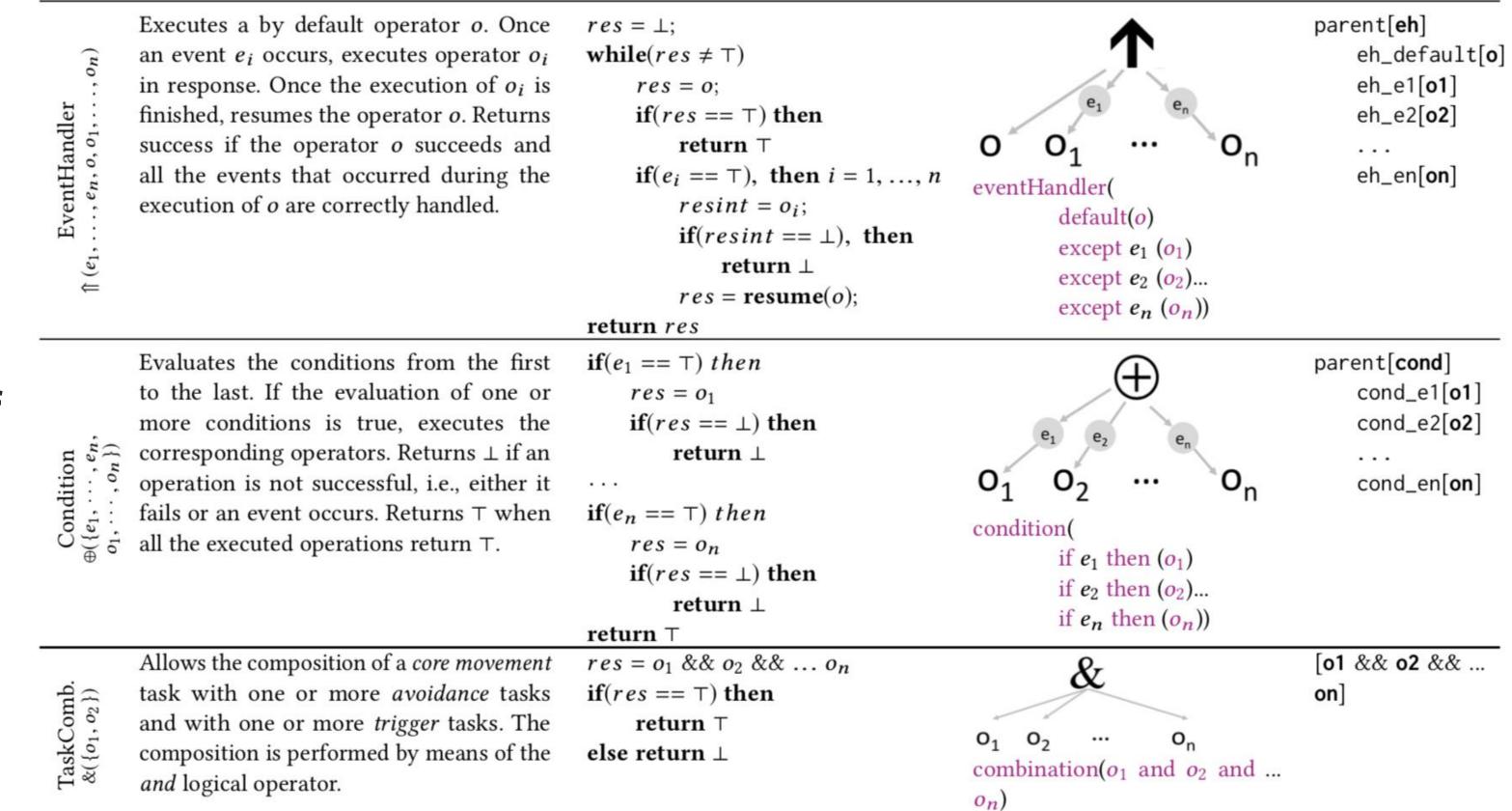
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#### Domain Specific Language to specify missions

- PROMISE (simPle RObot MIssion Specification)
  - Patterns are basic building blocks
  - Operators enable the composition of patterns towards the specification of complex missions for multi-robots

Name	Description	Semantics	Syntax	Intermediate language
Parallel $\ (\mathbf{r}_1,\ldots,\mathbf{r}_n,\mathbf{o}_1,\ldots,\mathbf{o}_n)\ $	Always the root of the mission. The operators $o_1, o_2, \dots, o_n$ are executed in parallel, each by a different robot—i.e., assigns one branch to each robot. Returns success when all operators return success, failure otherwise.	$\{res_1, res_2, \cdots, res_n\} = \{o_1, o_2, \cdots, o_n\}$ <b>if</b> $(res_1 == \top \land \cdots \land res_n == \top)$ <b>then</b> <b>return</b> $\top$ <b>else return</b> $\bot$	1 1	r1[ <b>o1</b> ] r2[ <b>o2</b> ]  rn[ <b>on</b> ]
Delegate $\triangleright(\mathcal{E},t)$	Delegates execution of a task $t$ to a specific robot (specified by the Parallel operator). Tasks are specified using patterns for robotic missions that take as input parameters as locations (indicated as $l_1, l_2, \ldots, l_n$ ) and actions (indicated as $a_1, a_2, \ldots, a_n$ ).	$\mathbf{execute}(\mathcal{E},t)$	$l_1, l_2,, l_n / a_1, a_2,, a_n$ delegate( $t$ locations $l_1,, l_n$ )  delegate( $t$ actions $a_1,, a_n$ )	LTL formula of the pattern specified by the task $t$ .
Fallback $?(\{o_1, o_2, \dots, o_n\})$	Executes the first operator; if it is executed successfully, ends with success. If the execution of the first operator fails, tries to execute the second operator. This procedure is repeated for all the other operators. Returns failure if all operators fail.	if $(\{o_1,o_2,\cdots,o_n\} \neq \emptyset)$ then $res = o_1;$ if $(res == \bot)$ then $?(\{o_2,\cdots,o_n\})$ else return $\top$ else return $\bot$	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	parent[ <b>fb</b> ] fb_1[ <b>o1</b> ] fb_2[ <b>o2</b> ] fb_n[ <b>on</b> ]
Sequence $\rightarrow (\{o_1, o_2, \dots, o_n\})$	Executes all the operators from the first to the last. If an operator returns success executes the subsequent operator. If an operator returns a failure returns failure. Returns success if and only if all the operators return success.	$ \begin{aligned} & \textbf{if}(\{o_1,o_2,\cdots,o_n\} \neq \emptyset) \textbf{ then} \\ & \textit{res} = o_1; \\ & \textbf{if}(\textit{res} == \top) \textbf{ then} \\ & \rightarrow (\{o_2,\cdots,o_n\}) \\ & \textbf{else return} \perp \\ & \textbf{else return} \perp \end{aligned} $	$o_1  o_2  \cdots  o_n$ sequence $(o_1, o_2, \ldots, o_n)$	[o1,o2,,on]

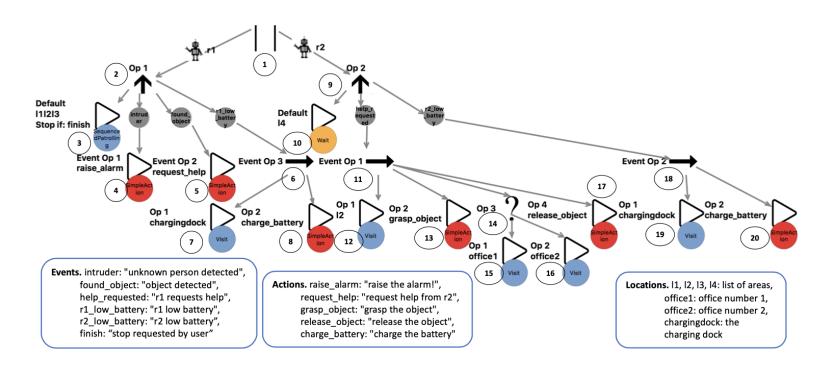
# Operators of the DSL



Operators of the DSL

```
Mission:
 'mission'
('conditions' '{' ('events' events+=Event ( "," events+=Event)*)?
('actions' actions+=Action ( ", " actions+=Action)*)? '}')?
 'robots' robots+=Robot ( ", " robots+=Robot)*
 ('locations' locations+=Location ( "," locations+=Location)*)?
 'operators' '{' operator += Operator ( "," operator += Operator) * '}
 '}';
Operator:
FallBackOp | SequenceOp | ParallelOp | EventHandlerOp |
ConditionOp | DelegateOp | TaskCombinationOp;
//List of tasks from the provided catalog
Robot:
name=EString;
Location:
name=EString;
Event:
name=ID ':' description = EString;
Action:
name=ID ':' description = EString;
FallBackOp:
'fallback' '(' inputOperators+=Operator
("," inputOperators+=Operator)* ')';
SequenceOp:
 'sequence' '(' inputOperators+=Operator
 ("," inputOperators+=Operator)*')';
ParallelOp:
 'parallel
 '{ '(inputRobots += [Robot | EString] '('inputOperators += Operator') '
("," inputRobots+=[Robot | EString] '('inputOperators+=Operator')')
     *)?'}';
EventHandlerOp
 'eventHandler' '(
 'default' '(' inputOperators+=Operator ')'
('except' inputEvents+=EventAssignment)+')';
ConditionOp:
 'condition' '(
('if' inputEvents+=EventAssignment )+')';
TaskCombinationOp:
 'combination' '(' inputOperators+=Operator
(('&' | 'AND' | 'and') inputOperators+=Operator)+ ')';
DelegateOp:
 'delegate' '(' task=Tasks
('locations' inputLocations+=[Location|EString]
("," inputLocations+=[Location | EString]) * )?
('actions' inputAction+=[Action|EString]
( ", " inputAction += [Action | EString]) *)?
('stoppingEvents' stoppingEvent+=[Event|EString]
( ", " stoppingEvent+=[Event | EString]) *)? ')';
EventAssignment:
inputEvent = [Event | EString] '(' inputOperators = Operator ')';
```

### Grammar (Abstract syntax)



```
operators{ parallel{ 1
  r1(eventHandler(
    default(delegate ( SequencedPatrolling locations 11, 12, 13(3)
      stoppingEvents finish))
    except intruder (delegate (SimpleAction actions raise_alarm)) ( 4
    except found_object (delegate (SimpleAction actions request_help))( 5
    except r1_low_battery (sequence( ( 6 )
      delegate(Visit locations chargingdock),( 7
      delegate(SimpleAction actions charge_battery))))),( 8 )
  r2(eventHandler( 9)
    default(delegate(Wait locations 14))(10)
    except help_requested( sequence(( 11 )
      delegate(Visit locations 12),
      delegate(SimpleAction actions grasp_object), (13)
      fallback ( (14 )
       delegate(Visit locations office1), (15)
        delegate(Visit locations office2)),
        delegate ( SimpleAction actions release_object ) ) )( 17 )
    except r2_low_battery(sequence(( 18 )
      delegate(Visit locations chargingdock), (19
      delegate (SimpleAction actions charge_battery)))))( 20 )
```

Two concrete syntaxes (Graphical – behaviour tree style - and Textual)

#### Further info about Promise

#### PROMISE: High-Level Mission Specification for Multiple Robots



In this page, we present PROMISE (simPle RObot Mission SpEcification), a mission specification language and tool for teams of multiple robots, which is developed as an Eclipso plugin. With our research, we aim at providing a simple yet powerful and rigorous tool to specify, generate, and decompose missions for robotic teams. With this in mind, we integrated PROMISE into a software framework that allows not only mission specification but also execution. This framework is introduced here.

PROMISE was developed to support both developers—i.e., users with programming skills—and non-technical end users—i.e., users who are not necesserely knowledgeable on programming languages—in mission specification.

Our DSL supports the specification of complex missions via the use of a list of operators we proposed that permit the composition of tasks. These operators are inspired by behaviour tree operators [1], which are used in computer science, robotics, control systems and video games for structuring and model behaviors directed toward achieving goals. In turn, the tasks are implemented from an existing catalog of mission specification patterns. To illustrate the mission specification syntaxes of PROMISE we provide a detailed example in this website.

 $This page also provides details on the \underline{validation\ processes}\ we followed\ during\ the\ study\ and\ development\ of\ PROMISION of the\ provides\ details\ on\ the\ processes\ we followed\ during\ the\ study\ and\ development\ of\ PROMISION of\ provides\ details\ on\ the\ processes\ we followed\ during\ the\ study\ and\ development\ of\ PROMISION\ of\ provides\ details\ on\ the\ processes\ we followed\ during\ the\ study\ and\ development\ of\ provides\ details\ on\ the\ processes\ we followed\ during\ the\ study\ and\ development\ of\ processes\ we followed\ during\ the\ study\ and\ development\ of\ processes\ we followed\ during\ the\ processes\ we followed\ during\ the\ processes\ provides\ details\ on\ the\ processes\ provides\ processes\ provides\ processes\ provides\ processes\ proce$ 

https://sites.google.com/view/promise-dsl/home



García, S., Pelliccione, P., Menghi, C., Berger, T., & Bures, T. (2019, October). High-level mission specification for multiple robots. In Proceedings of the 12th ACM SIGPLAN International Conference on **Software Language Engineering** (SLE) (pp. 127-140). ACM.

García, S., Pelliccione, P., Menghi, C., Berger, T., & Bures, T. (2020,). PROMISE: High-Level Mission Specification for Multiple Robots. In 2nd International Conference on Software Engineering Companion (ICSE '20 Demo).

https://github.com/SergioGarG/PROMISE\_implementation





PROMISE: High-Level Mission Specification for Multi Robots

Sergio García

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ABSTRACT
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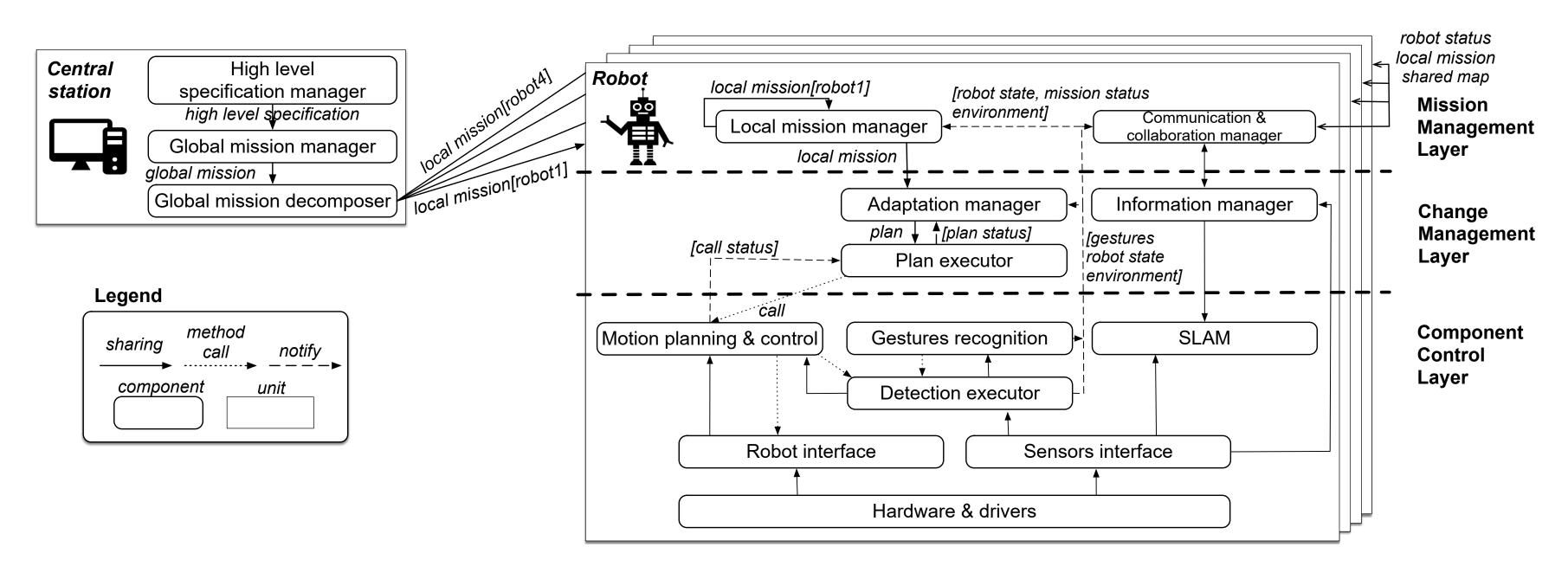
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In TRODUCTION

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# SERA (Self- adaptive dEcentralized Robotic Architecture)



https://co4robots.eu/

S. García, C. Menghi, P. Pelliccione, T. Berger and R. Wohlrab, "An Architecture for Decentralized, Collaborative, and Autonomous Robots," 2018 IEEE International Conference on Software Architecture (ICSA), Seattle, WA, 2018, pp. 75-7509.

### Instantiated Hierarchical Task Networks (iHTN)

r1, nurse, pickup arm

- Hierarchical Task Networks is a formalism for task planning.
- The Instantiated HTN (iHTN) formalism formalizes a multi-robot collaborative mission.
- Tasks (ellipses) are efforts that a set of agents (robots or humans) must undertake.
- A task can be abstract or concrete.
- Abstract tasks are refined by methods.
- Methods are linked to tasks of a lower level and a type of ordering.
- The ordering can be sequential (diamond) or unordered (parallelogram).

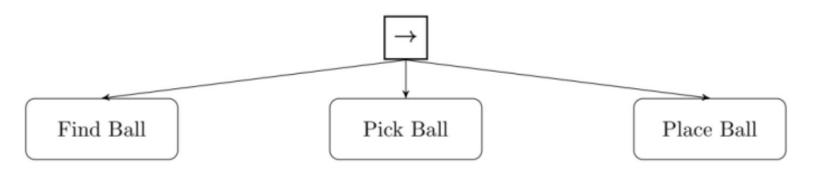
retrive\_sampl navto\_pharma r1, pickup arm r1, nurse unload sample wait\_in\_queue uthenticate nurs approach nurse r1, pickup arm r1, nurse m\_deposit wait\_for\_turn do\_deposit close drawer r1, pickup arm m\_do\_deposit m\_do\_deposit

Lab Samples Logistics

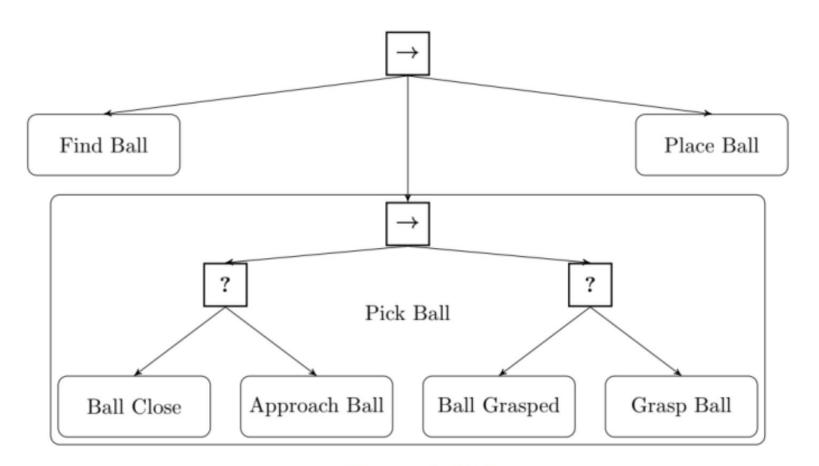
pickup arm

• ..

#### **Behavior trees**

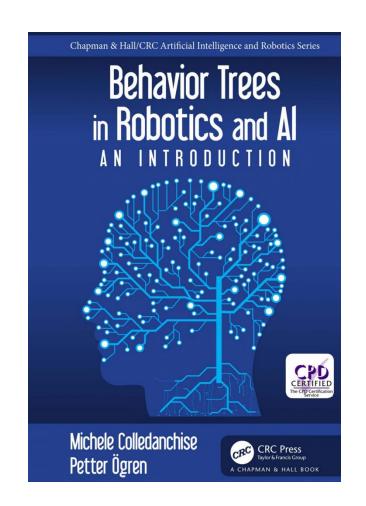


(a) A high level BT carrying out a task consisting of first finding, then picking and finally placing a ball.



Node type Symbol		ool	Succeeds	Fails	Running
Fallback	?		If one child succeeds	If all children fail	If one child returns Running
Sequence	$\rightarrow$		If all children succeed	If one child fails	If one child returns Running
Parallel	$\Rightarrow$		If $\geq M$ children succeed	If $> N - M$ children fail	else
Action	tex	t	Upon completion	If impossible to complete	During completion
Condition	text	t)	If true	If false	Never
Decorator	$\Diamond$		Custom	Custom	Custom

(b) The Action Pick Ball from the BT in Figure 1.1(a) is expanded into a sub-BT. The Ball is approached until it is considered close, and then the Action Grasp is executed until the Ball is securely grasped.



# Democratizing the programming and use of Industrial Robots

# Democratization of Robot Engineering for Advanced Manufacturing (manufacturing satellites)

- Accessible by users without expertise in ICT or robotic
- Coordination of multi and heterogeneous robots and human operators
- It forces modularity and programming with reuse (parametric APIs)











#### Domain Specific Language components



#### Agents (Robots & Operators):

- Robot1, Robot2, HumanOP1, AMR1



#### Locations:

- Quality Control, Assembly Location, Warehouse, Stacking Platform, Buffer Area



#### Trays & Components:

- AOCS Tray, DHC Tray, Components (CMG, MTQ, MAG, screws)



#### Mission Tasks:

- Moving, Picking, Placing, Screwing, Assembling

### Workflow

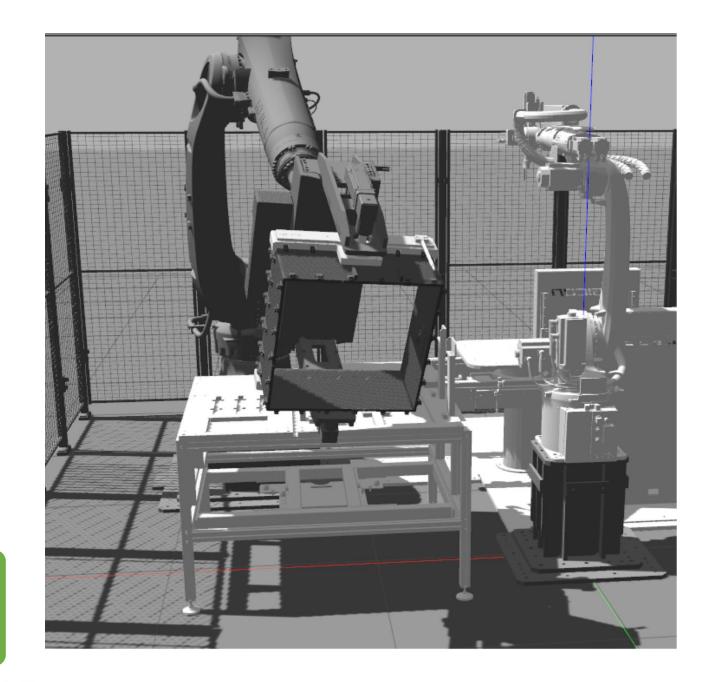
Domain Specific Language

Interpreter (RobotManager)

Function Calls (Custom interface)

ROS

Simulation/Robots











# Video

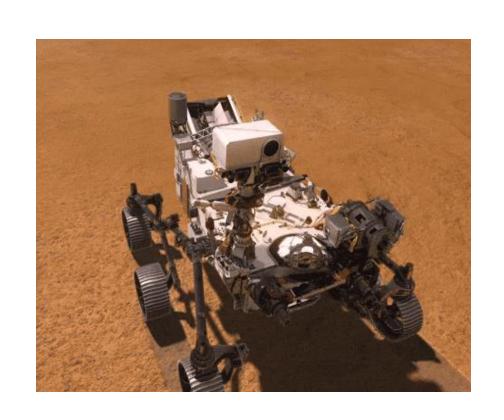
#### What's next?

Anomalous and premature wheel wear

Caused by sharp rocks in Mars terrain

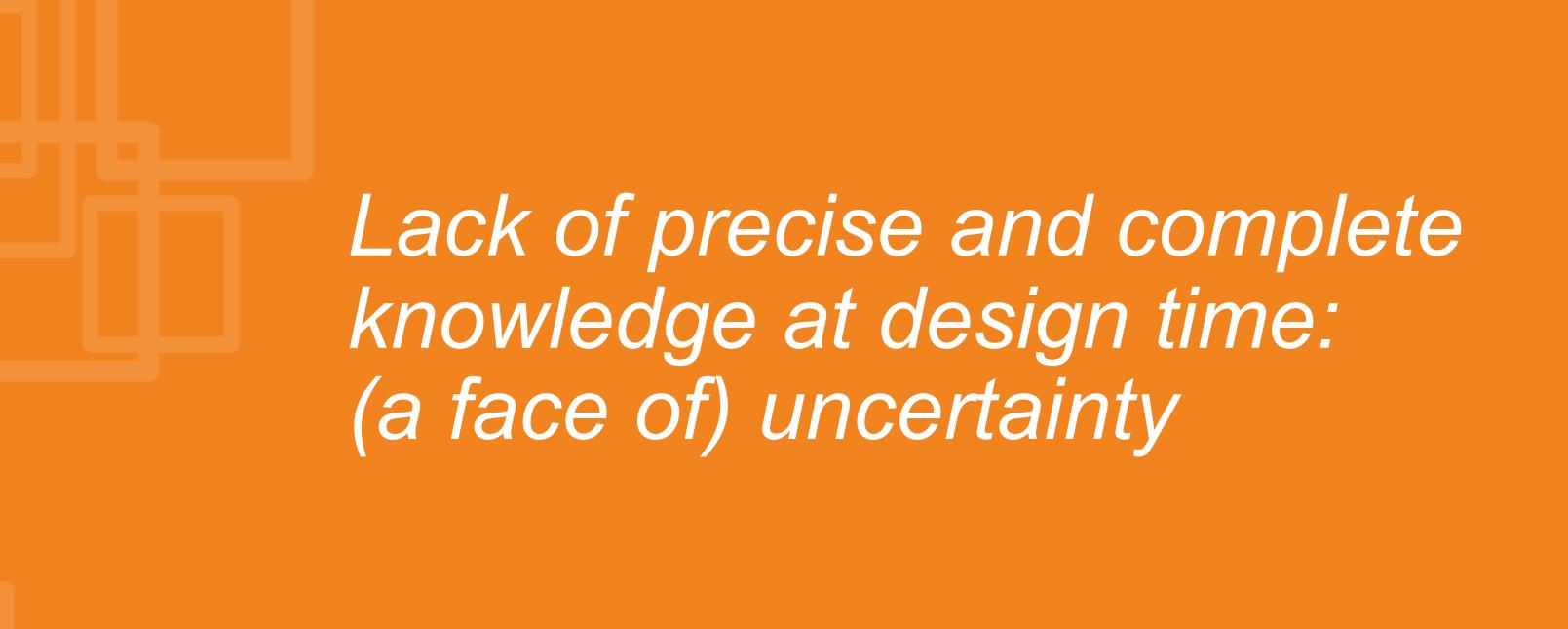
Wheel design was made according to the current knowledge





Engineers adapted navigation to solve the issue Different navigation for different terrains Required a software patch

NASA's MSL "Curiosity" rover issues



### Dealing with uncertainty in robotic missions

Effects of events/conditions may be unknown at runtime

Self-adaptation is needed to handle uncertainties at runtime

Impractical to specify all the alternative behaviors in a unique model Sometimes it impossible (they are not known!)



Behavior Trees enable reactiveness, but...

### Adaptable & Uncertainty-aware BTs

#### Introducing adaptable nodes

Abstract nodes that model points of uncertainty

Manage known-unknowns

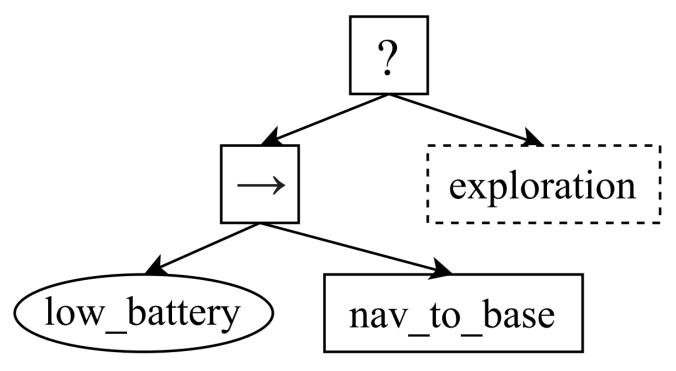
Placeholder for alternatives

#### Goals

Avoid hard-coding of the alternatives Increase modularity and flexibility Allow behaviors addition/update

#### What's missing?

Specification of the conditions for alternatives Runtime support



Adaptable BT





Can LLMs help on that?

#### Domain Specific Languages

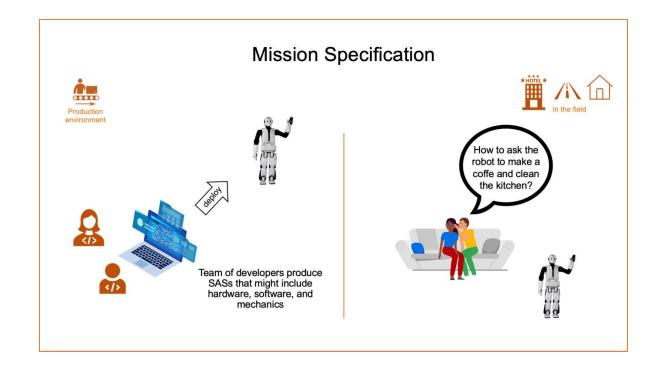
Are the patterns domain specific?

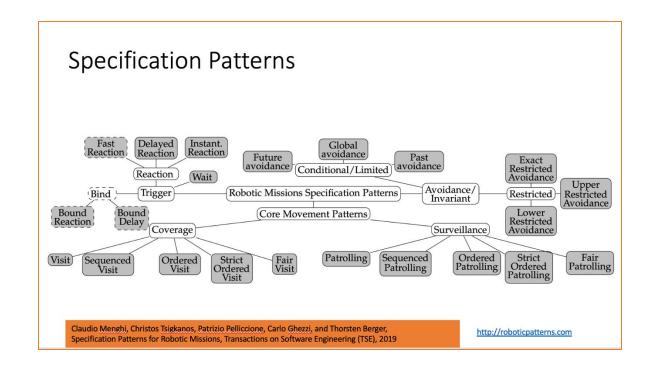
We are not reusing them for the Smart factory

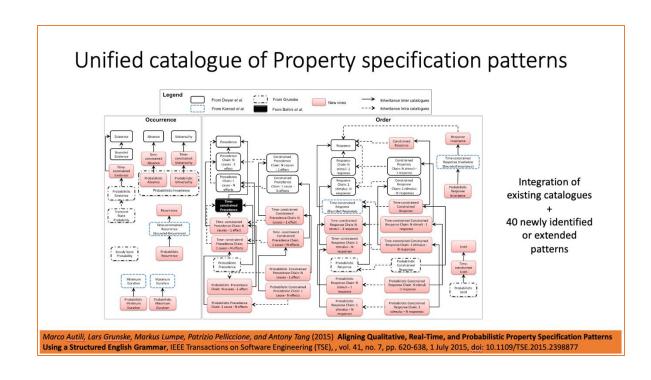
We probably need another step of abstraction in specific domains, like agriculture, space exploration, manufacturing

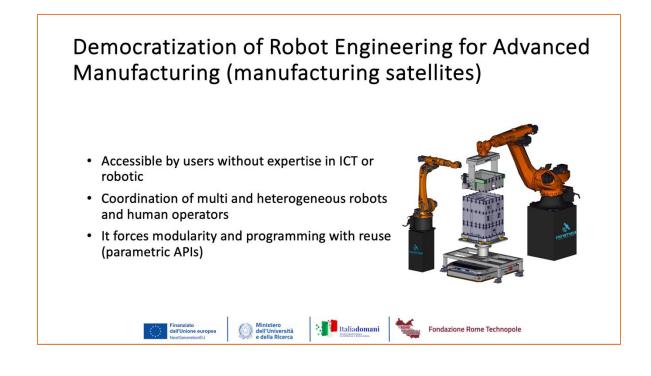
...plus patterns not focusing only on movements (in a map)

#### Summary











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